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### Quantum Imaging Technologies: Quantum Laser Radar

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### **Quantum Laser Radar**













- Simulation of the amplification of a gray-scale image in the shot-noise limited regime
- Random zero-mean Gaussian noise is added to represent detector noise
  - A valid model when the received signal photon number per pulse or per inverse bandwidth is large
- Photocurrents in the unamplified and amplified cases are scaled appropriately for fair comparison.





### Simulation of Preamplified Photodetection of Shot-Noise Limited Signals



- For G = 1 (no preamplification)
  - $SNR_{IN} = N_s$  (shot-noise limited signal)
  - $\langle (\Delta N_s)^2 \rangle_{\eta} = \eta N_s$ ,  $SNR_{OUT} = \eta N_s$
  - NF = SNR<sub>IN</sub> / SNR<sub>OUT</sub> =  $1/\eta$
- For G > 1
  - SNR  $_{\text{IN}}$  = N $_{\text{s}}$  and  $\langle (\Delta N_{\text{s}})^2 \rangle$  = N $_{\text{s}}$



- NF = SNR<sub>IN</sub> / SNR<sub>OUT</sub> = N<sub>s</sub> / [( $\eta$ GN<sub>s</sub>)<sup>2</sup> /  $\langle$ ( $\Delta$ N<sub>s</sub>)<sup>2</sup> $\rangle$ <sub> $\eta$ G</sub>]

$$- \langle (\Delta N_s)^2 \rangle_{\eta G} = NF (\eta G N_s)^2 / N_s = \langle (\Delta N_s)^2 \rangle_{\eta} \eta G^2 NF$$









• Noise Figure (NF): [PRL 83 (10), pp.1938-1941, Choi, Vasilyev & Kumar]

- 
$$NF_{tot} = NF_{amp} + (1 - \eta) / (\eta G)$$

- 
$$NF_{PSA} = 1 \rightarrow (NF^{PSA})_{tot} = 1 + (1 - \eta) / (\eta G)$$

- NF<sub>PIA</sub> = 2 1/G  $\rightarrow$  (NF<sup>PIA</sup>)<sub>tot</sub> = 2 (1 1/G) + 1 / ( $\eta$ G)
- Also, the detected signal in each case is different.
  So, we scale PSA & PIA noise by G<sup>2</sup> in order to fairly compare the photo-current between the three cases.
- Therefore, added noise:
  - No gain  $\rightarrow \langle (\Delta N_s)^2 \rangle_{\eta}$
  - PSA  $\rightarrow$   $\eta$  [1 + (1  $\eta$ ) / ( $\eta$ G)]  $\langle (\Delta N_s)^2 \rangle_{\eta}$
  - PIA  $\rightarrow \eta \left[2(1-1/G) + 1/(\eta G)\right] \langle (\Delta N_s)^2 \rangle_{\eta}$





Soft Gaussian

Frequency

Although shown here for a spatially broadband case, our goal in the MURI is to do proof-of-principle experiments with raster scanning of the image with use of a fiber-based PSA.





# Results: Averaged over 100 Frames $\eta$ = 0.8, G = 10 dB







# Results: Averaged over 100 Frames $\eta$ = 0.3, G = 10 dB







### **Our PSA Experimental Setup**





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Quantum Imaging Review, UMBC, 11-17-08 Slide # 10

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### Key Steps in the Measurement Scheme





- Employs phase locking loop with piezoelectric transducer for phase-sensitive amplification
- Double pass Highly Nonlinear Fiber
- Noise measurement on the analog signal



### Direct Signal and Noise Measurements







### Noise Figure Measurement of the Fiber PSA



Lim, Grigoryan, Shin, & Kumar, OFC'2008



 $NF_{ave}$  (Anti-Stokes) = (0.42 ± 0.53) dB

 $NF_{ave}$  (Stokes) = (0.68 ± 0.59) dB



## Proposed Proof-of-Principle Experiment



Fig. 1 Cartoon illustrating the real situations where PSA finds useful applications.







