# **Quantum Imaging: Q-OCT**

Bahaa Saleh Alexander Sergienko Malvin Teich



QuickTime<sup>™</sup> and a TIFF (Uncompressed) decompressor are needed to see this picture.

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# Outline

- 1. Quantum Imaging
- 2. Two-Photon Imaging
- 3. Quantum OCT

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## **Optical Imaging**

= Estimation of the spatial distribution (2D, 3D, 4D) of a physical object by use of optical measurement (direct or interferometric)





or R(z) Ranging Axial imaging

or  $\alpha(x,y,z)$ 3D Imaging Subsurface imaging

Imaging may involve spatial, spectral, and/or polarization effects

## **Optical Lithography**

= Fabrication of objects with specified spatial distributions (2D, 3D) by use of optical sources and systems



## Limitations of Optical Imaging & Lithography

• Resolution (transverse & axial)





# **Quantum Imaging**

 Estimation of the spatial distribution of a physical object by use of light field in a nonclassical state & direct or Interferometric measurement

# Quantum Lithography

 Fabrication of objects with specified spatial distribution by use of light field in a nonclassical state

## **States of Light**

Coherent (laser imaging) Thermal (conventional, photon-correlation imaging) **Nonclassical States Quadrature-Squeezed Photon-Number Squeezed Two-Photon** Gaussian NOON ... Saleh et al. PRA 2000 Saleh et al. PRL 2005 week ending PHYSICAL REVIEW LETTERS PRL 94, 223601 (2005)

Wolf Equations for Two-Photon Light

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## **Two-Photon light**



= a state of exactly two photons in multimodes (spatial/spectral/polarization)

$$\left|\Psi\right\rangle = \sum_{\sigma_{1}} \sum_{\sigma_{2}} \iint dq_{1} dq_{2} \iint d\omega_{1} d\omega_{2} \varphi\left(q_{1}, \omega_{1}, \sigma_{1}; q_{2}, \omega_{2}, \sigma_{2}\right) \left|1_{q_{1}, \omega_{1}, \sigma_{1}}, 1_{q_{2}, \omega_{2}, \sigma_{2}}\right\rangle$$

non-separable function  $\equiv$  entangled state

Entanglement: Spatial (momentum) Spectral Polarization

### **Two Configurations**



**H** = Spatial, spectral, or polarization system

## A. Applications of Direct 2-Photon Imaging



#### 1. Correlated-Photon Absolute Measurement

Measurement of reflectance/ Transmittance/ Quantum Efficiency



#### Ellipsometry



### 2. Imaging (transverse) - Spatial modes



$$G^{(2)}(\mathbf{x}_1, \mathbf{x}_2) = \left| \psi(\mathbf{x}_1, \mathbf{x}_2) \right|^2$$
$$\psi(\mathbf{x}_1, \mathbf{x}_2) \propto \int \xi_s(\mathbf{x}) h_r(\mathbf{x}_1, \mathbf{x}) h_o(\mathbf{x}_2, \mathbf{x}) d\mathbf{x}$$

Belinskii & Klyshko, Zh. Eksp. Teor. Fiz. 94 Pittman *et al.*, PRA 95

#### 3. Two-Photon Microscopy / Lithography



Example: Optical Fourier transform  $h = \exp(jkx_1x/2)$ 

$$\psi(\mathbf{x}_1,\mathbf{x}_1) \propto \int \xi_s(\mathbf{x}) \exp[j 2 \frac{k}{2f} \mathbf{x}_1 \cdot \mathbf{x}] d\mathbf{x}$$

Factor of 2 enhancement

Teich & Saleh, Cesk. Cas. Fyz. 97 Boto *et al*., PRL 00 Abouraddy *et al*., JOSA-B 02

#### 4. Dispersion Compensation



 $\overline{\varphi_{S}}(\omega_{1},\omega_{2}) = F(\omega_{1})\delta(\omega_{1}+\omega_{2}-\omega_{p})$ 

 $\varphi(\omega_1,\omega_2) = H_r(\omega_1)H_o(\omega_2)F(\omega_1)\delta(\omega_1 + \omega_2 - \omega_p)$ 

GVD's of opposite signs cancel Franson PRA 1992

## B. Applications of Interferometric 2-Photon Imaging



#### Axial Imaging/Ranging Spectral Modes



 $\varphi(\omega_1, \omega_2) = H_r(\omega_1) H_o(\omega_2) F(\omega_1) \delta(\omega_1 + \omega_2 - \omega_p)$  $C = \frac{1}{4} \iint | \varphi(\omega_1, \omega_2) - \varphi(\omega_2, \omega_1) |^2 d\omega_1 d\omega_2$ 

Interference term in  $C \propto H_o(\omega_1) H_o^*(\omega_2) H_r(\omega_1) H_r^*(\omega_2) \delta(\omega_1 + \omega_2 - \omega_p)$ 

*i.e.*, insensitive to even-order dispersion (GVD) in  $H_o$ ,

Nonlocal Dispersion Cancellation

Steinberg, Kwiat, Chiao, PRL 92; PRA 92 Shapiro, Sun, JOSA-B 94 Larchuk, Teich, Saleh, PRA 95

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### **Q-OCT = Two-Photon Axial Imaging**



#### Hong-Ou-Mandel Interferometer

Abouraddy et al. PRA, 053817, 2002

### Experiment



#### Nasr et al. PRL, 91, August 2003

#### Two Boundaries + dispersive layer





M. B. Nasr et al., Opt. Express 12, 1353-1362 (2004)

## **The Promise of Q-OCT**

Q-OCT promises x2 improved axial resolution in comparison with conventional OCT for sources of same spectral bandwidth

Self-interference at each boundary is immune to GVD introduced by upper layers

Inter-boundary interference is sensitive to dispersion of interboundary layers; dispersion parameters can thus be estimated

Preliminary experiments demonstrated viability of technique

Technique can be extended to transverse imaging (Q-OCM)

Technique can be extended to polarization-sensitive Q-OCT

## **Q-OCT: Challenges & Plans**

State-of-the-art linewidth is not sufficiently large (Axial resolution is only 19 μm).
Two-photon flux is low. Duration of experiment is too long.

A better 2-photon source is needed! Faster broadband single-photon detector is needed!

Applications to scattering media (e.g., tissue).
Theoretical & experimental research is necessary.
Algorithms for data processing need to be developed.

#### Reprints

#### http://www.bu.edu/qil/



### Comparison of OCT & QOCT

