

Ultra-Slow Light Propagation in Room Temperature Solids

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Interest in Slow Light

Fundamentals of optical physics

Intrigue: Can (group) refractive index really be 10^6 ?

Optical delay lines, optical storage, optical memories

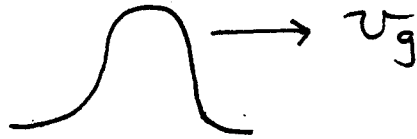
Implications for quantum information

Slow Light

group velocity \neq phase velocity

Group Velocity

Pulse
(wave packet)



Group velocity given by $v_g = \frac{d\omega}{dk}$

$$\text{For } k = \frac{n\omega}{c} \quad \frac{dk}{d\omega} = \frac{1}{c} \left(n + \omega \frac{dn}{d\omega} \right)$$

Thus

$$v_g = \frac{c}{n + \omega \frac{dn}{d\omega}} \equiv \frac{c}{n_g}$$

Thus $n_g \neq n$ in a dispersive medium!

Light Propagation in Atomic Vapors

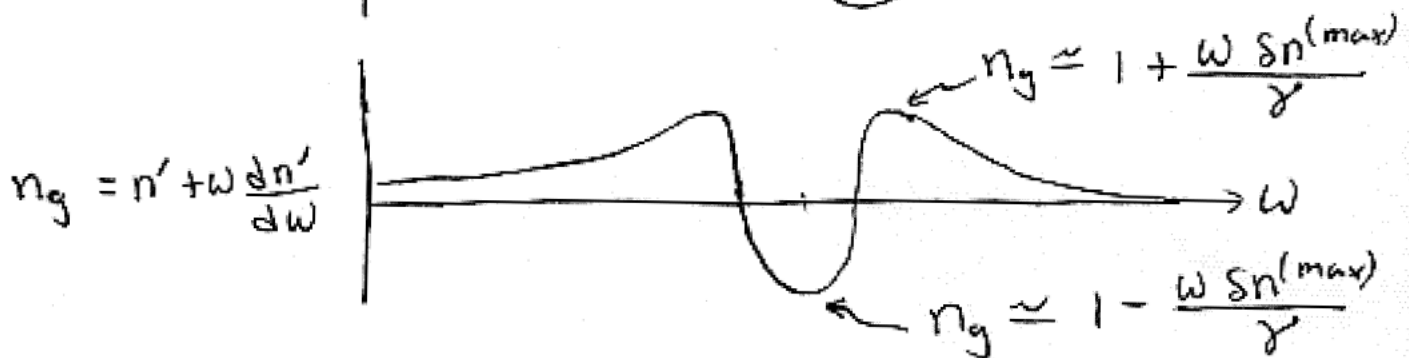
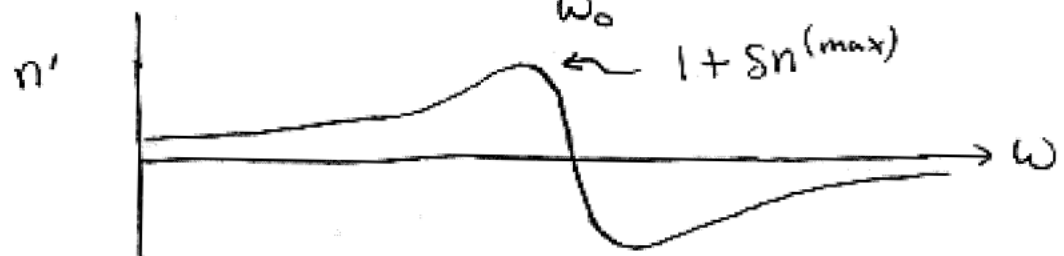
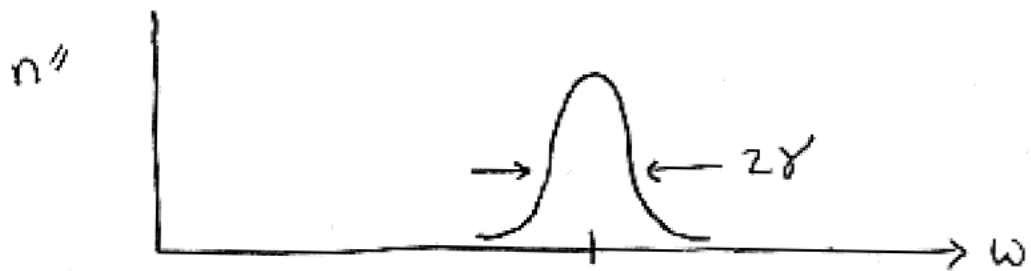
$$n = \sqrt{\epsilon} = \sqrt{1 + 4\pi\chi}$$

$$\chi = \frac{Ne^2 / 2m\omega_0}{(\omega_0 - \omega) - i\gamma}$$

For N not too large, $n = n' + in'' \approx 1 + 2\pi\chi$

$$n' \approx 1 + \frac{\pi Ne^2}{m\omega_0} \frac{\omega_0 - \omega}{(\omega_0 - \omega)^2 + \gamma^2}$$

$$n'' = \frac{\pi Ne^2}{2m\omega_0\gamma} \frac{\gamma^2}{(\omega_0 - \omega)^2 + \gamma^2}$$



$$\frac{\omega \delta n^{(max)}}{\gamma} \approx \frac{2\pi(5 \times 10^{14})(0.1)}{2\pi(1 \times 10^9)} = 5 \times 10^4 \sim (!)$$

n_g can range from $+5 \times 10^4$ to -5×10^4 .

(But with lots of absorption)

How to Produce Slow Light?

Group index can be as large as

$$n_g \approx 1 + \frac{\omega \text{sn}^{(\max)}}{\gamma}$$

Use Nonlinear optics to

(1) decrease line width γ

(produce sub-Doppler linewidth)

(2) decrease absorption

(so transmitted pulse is detectable)

Slow Light in Atomic Media

Slow light propagation in atomic media (vapors and BEC), facilitated by quantum coherence effects, has been successfully observed by many groups.

Challenge/Goal

Slow light in room-temperature solid-state material.

- Slow light in room temperature ruby
(facilitated by a novel quantum coherence effect)
- Slow light in a structured waveguide

Slow Light in Ruby

Need a large $dn/d\omega$. (How?)

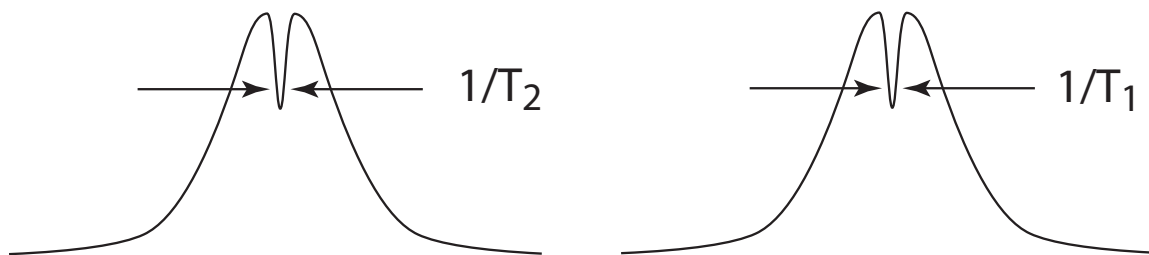
Kramers-Kronig relations:

Want a very narrow absorption line.

Well-known (to the few people how know it well) how to do so:

Make use of “spectral holes” due to population oscillations.

Hole-burning in a homogeneously broadened line; requires $T_2 \ll T_1$.

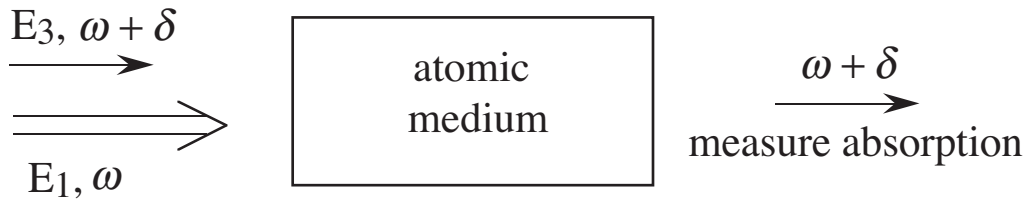
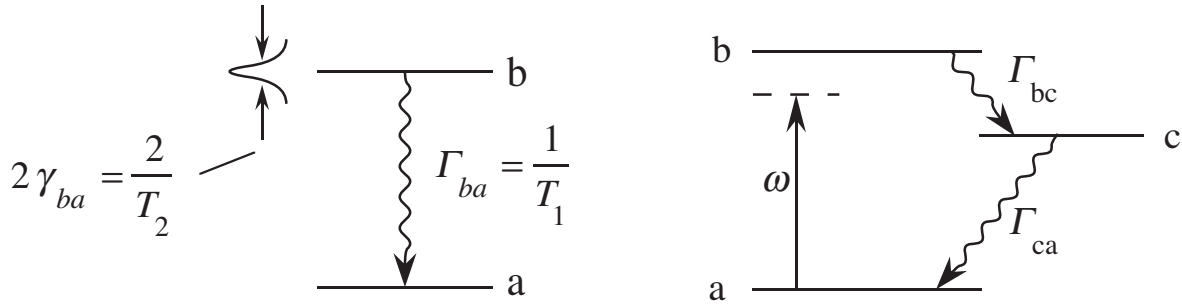


inhomogeneously
broadened medium

homogeneously
broadened medium
(or inhomogeneously
broadened)

PRL 90,113903(2003); see also news story in Nature.

Spectral Holes Due to Population Oscillations



Population inversion:

$$(\rho_{bb} - \rho_{aa}) = w \quad w(t) \approx w^{(0)} + w^{(-\delta)} e^{i\delta t} + w^{(\delta)} e^{-i\delta t}$$

population oscillation terms important only for $\delta \leq 1/T_1$

Probe-beam response:

$$\rho_{ba}(\omega + \delta) = \frac{\mu_{ba}}{\hbar} \frac{1}{\omega - \omega_{ba} + i/T_2} \left[E_3 w^{(0)} + E_1 w^{(\delta)} \right]$$

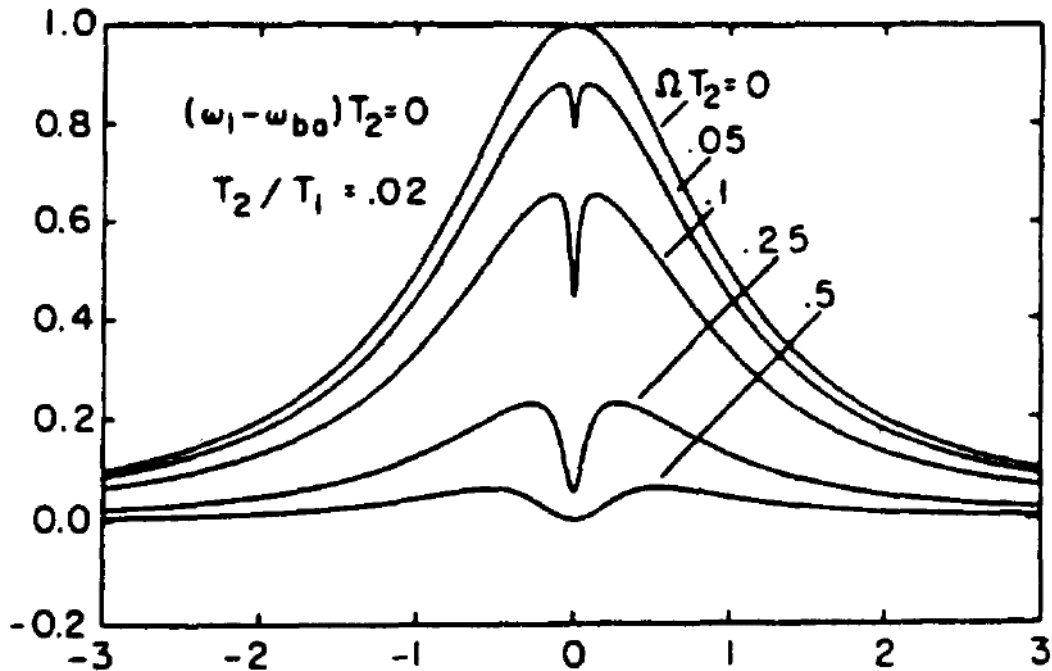
Probe-beam absorption:

$$\alpha(\omega + \delta) \propto \left[w^{(0)} - \frac{\Omega^2 T_2}{T_1} \frac{1}{\delta^2 + \beta^2} \right]$$

linewidth $\beta = (1/T_1)(1 + \Omega^2 T_1 T_2)$

Spectral Holes in Homogeneously Broadened Materials

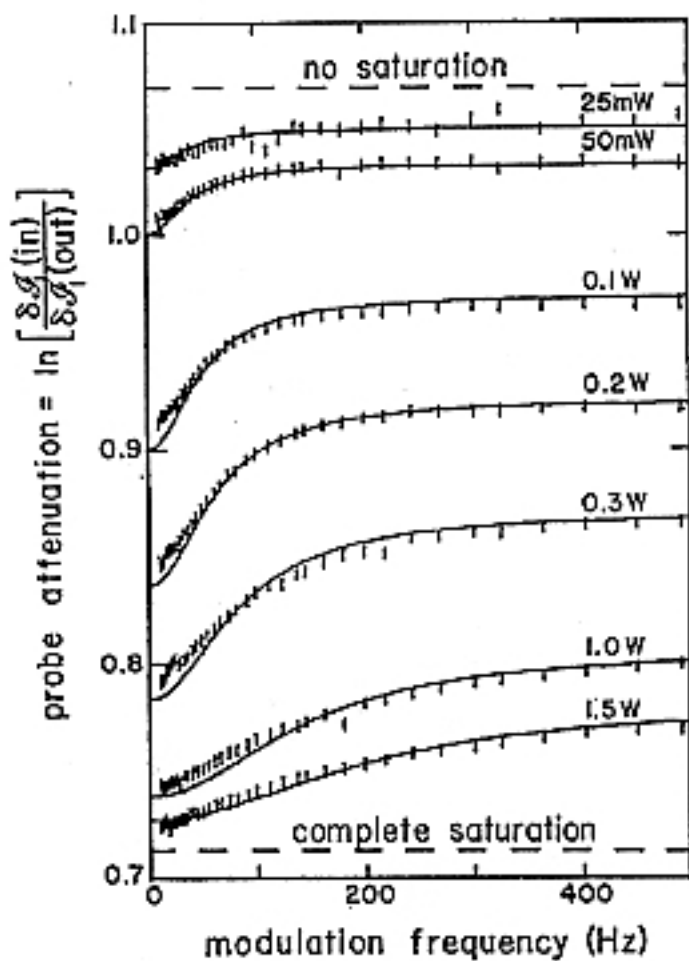
Occurs only in collisionally broadened media ($T_2 \ll T_1$)



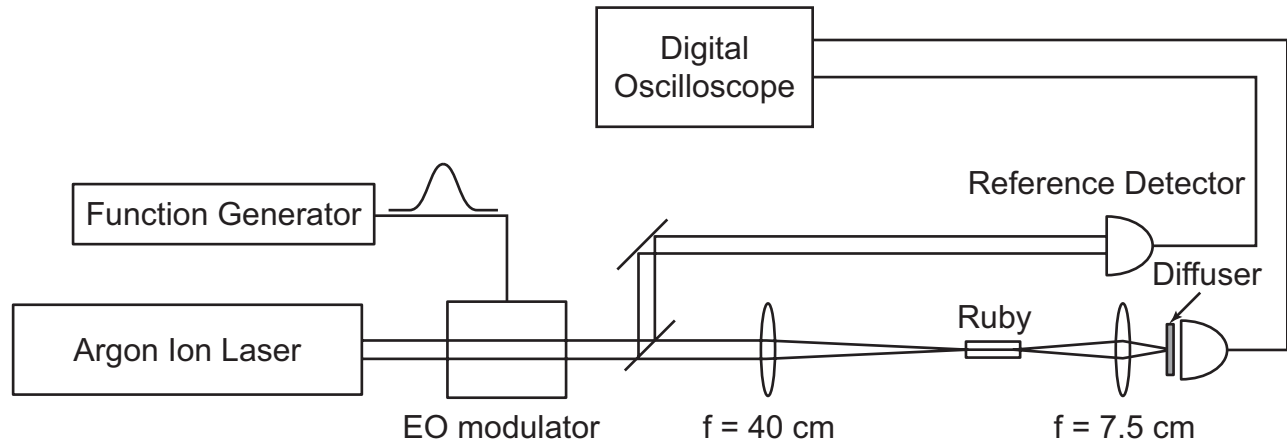
Boyd, Raymer, Narum and Harter, Phys. Rev. A24, 411, 1981.

**OBSERVATION OF A SPECTRAL HOLE DUE TO POPULATION OSCILLATIONS
IN A HOMOGENEOUSLY BROADENED OPTICAL ABSORPTION LINE**

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The Institute of Optics, University of Rochester, Rochester, NY 14627, USA

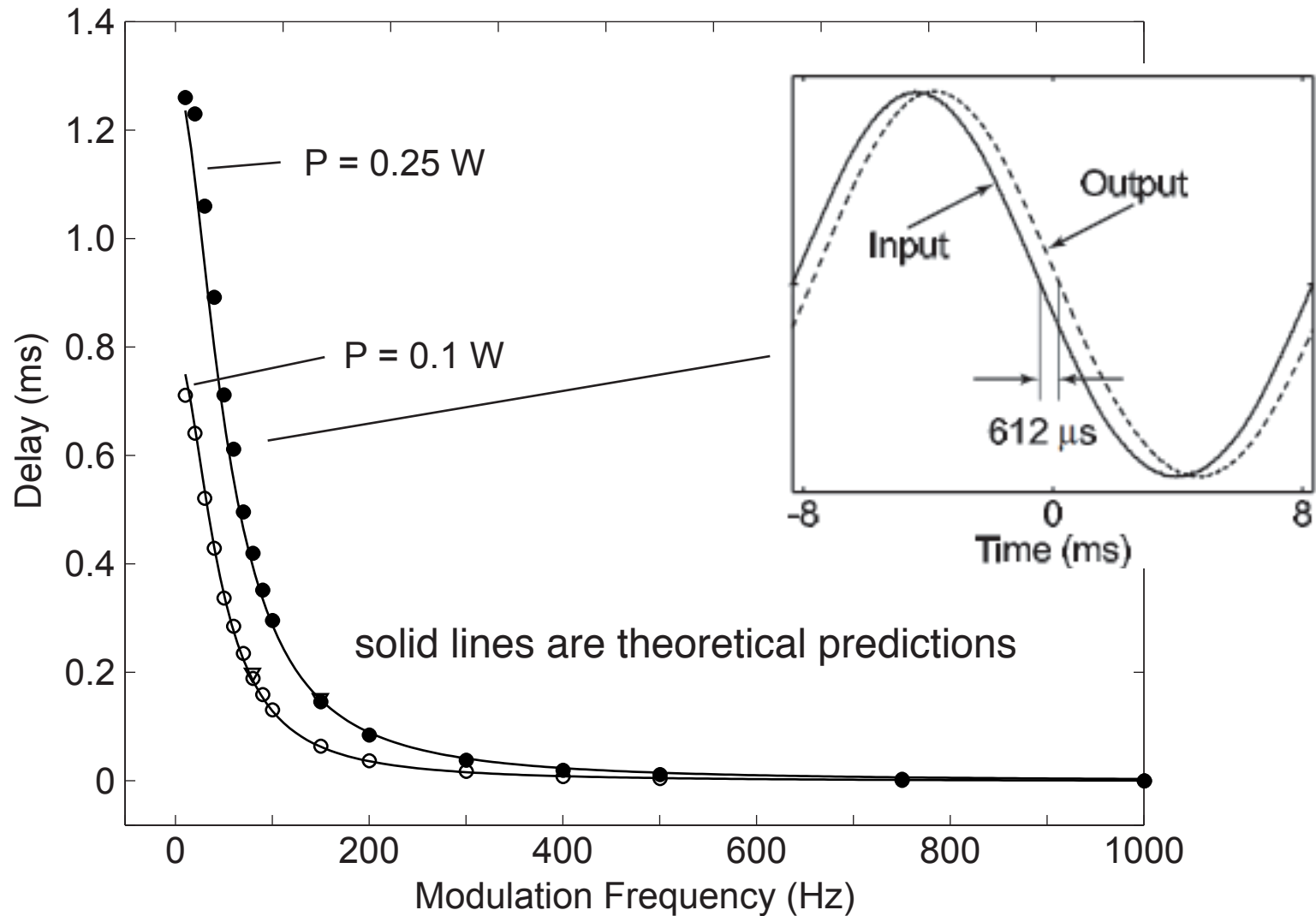


Experimental Setup Used to Observe Slow Light in Ruby



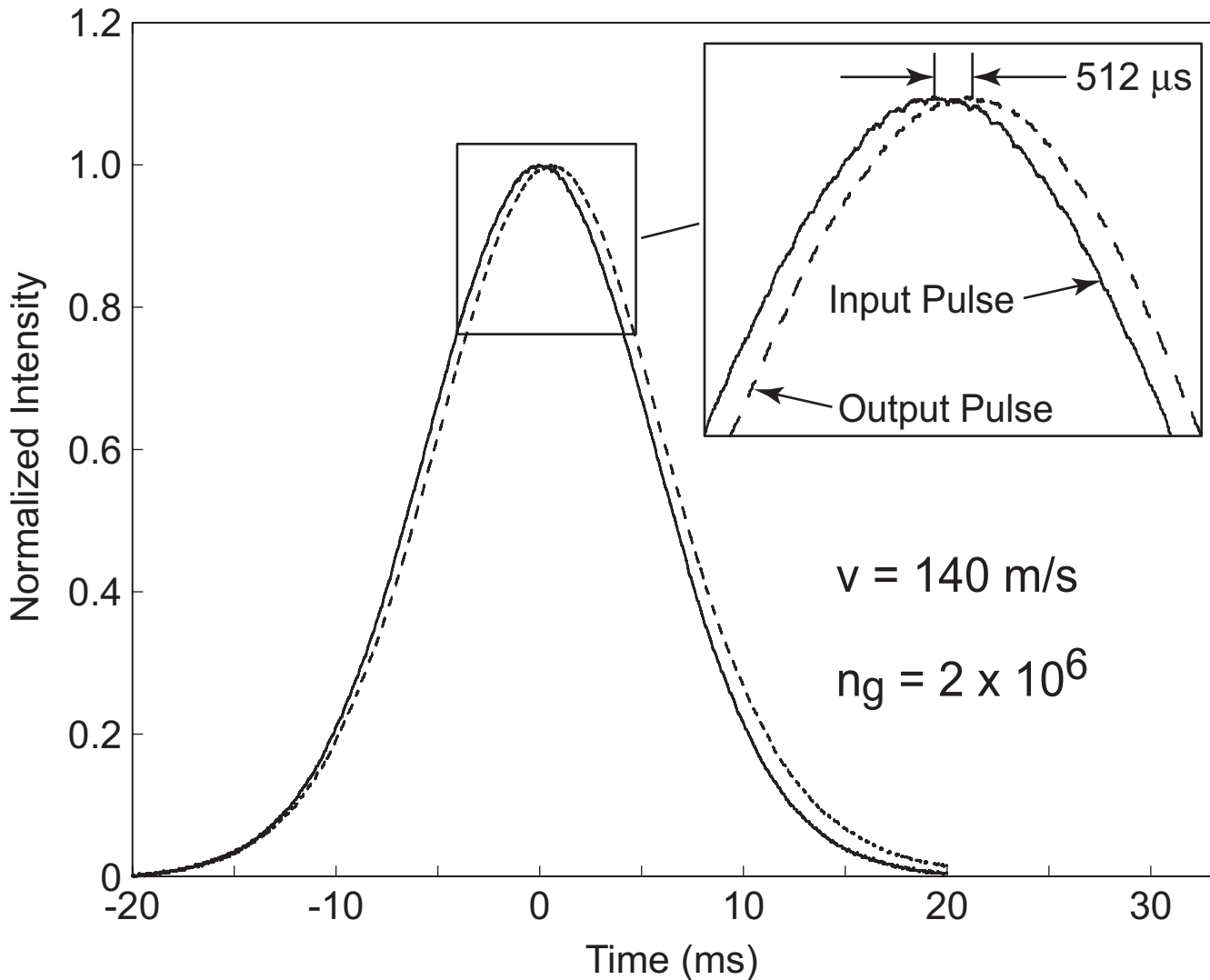
7.25 cm ruby laser rod (pink ruby)

Measurement of Delay Time for Harmonic Modulation



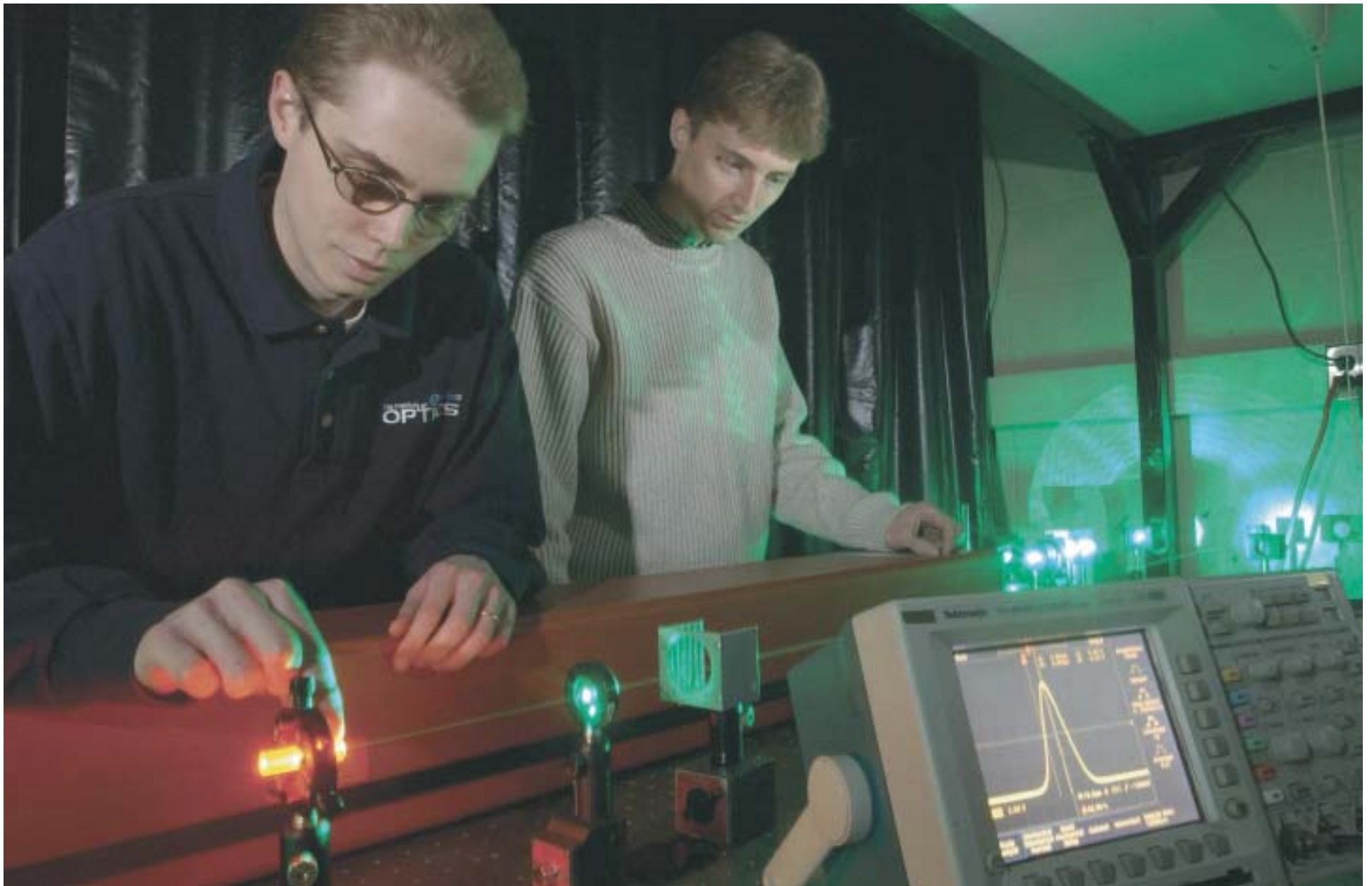
For 1.2 ms delay, $v = 60 \text{ m/s}$ and $n_g = 5 \times 10^6$

Gaussian Pulse Propagation Through Ruby

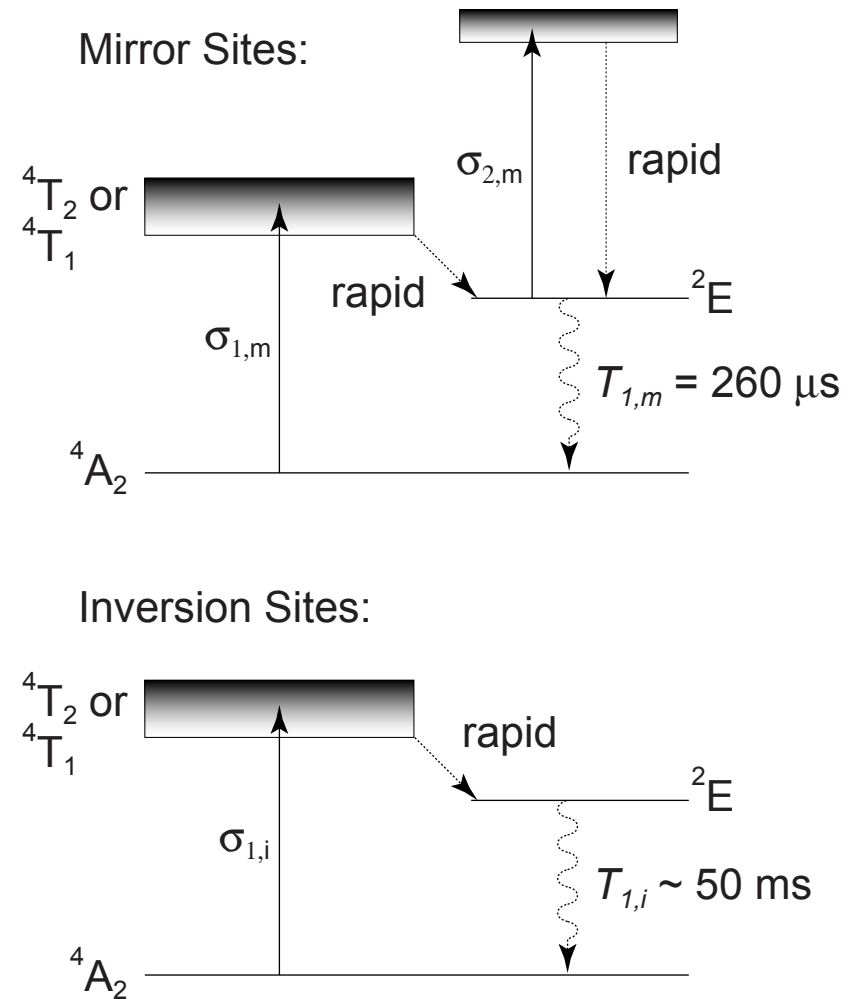
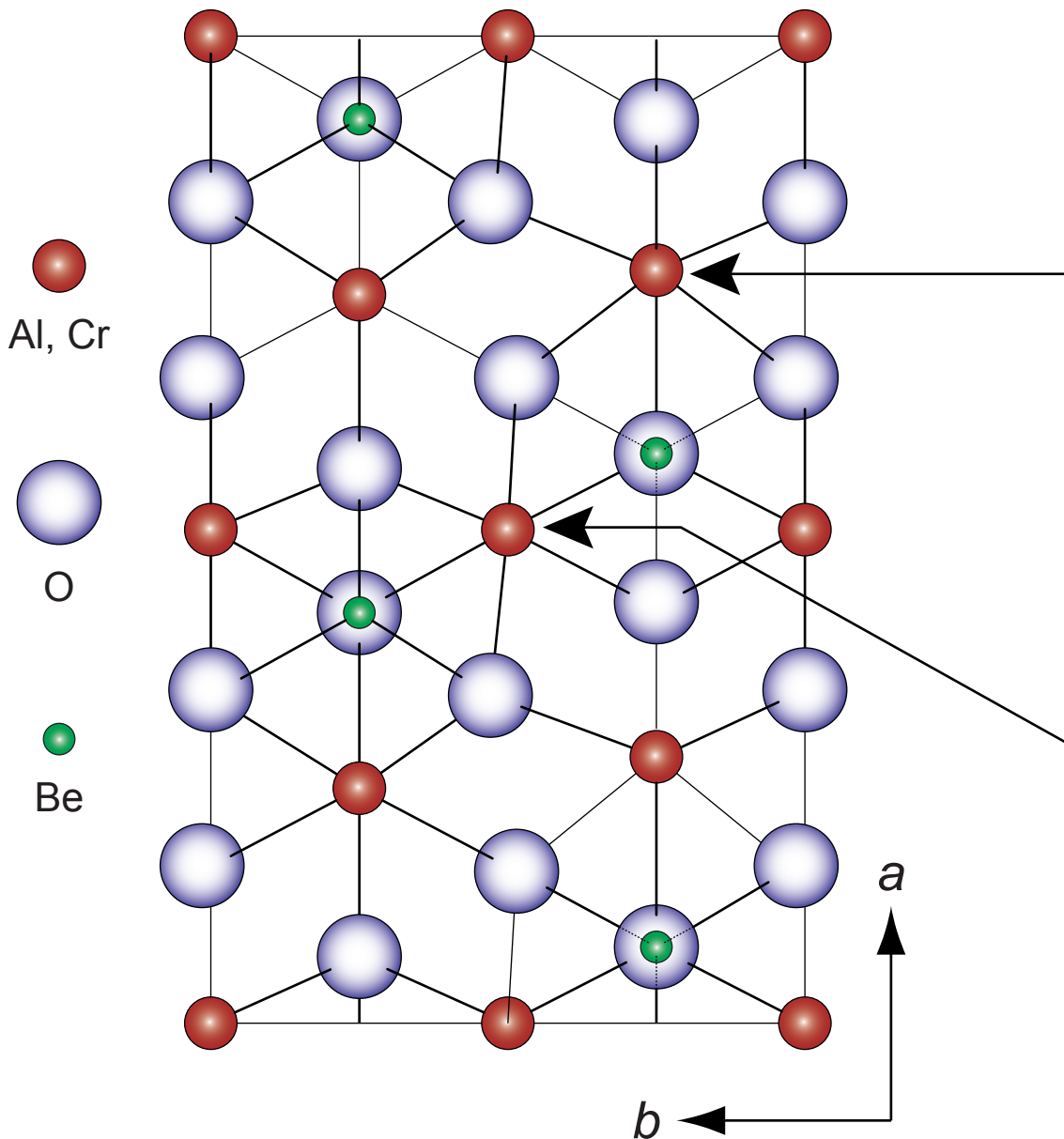


No pulse distortion!

Matt Bigelow and Nick Lepeshkin in the Lab



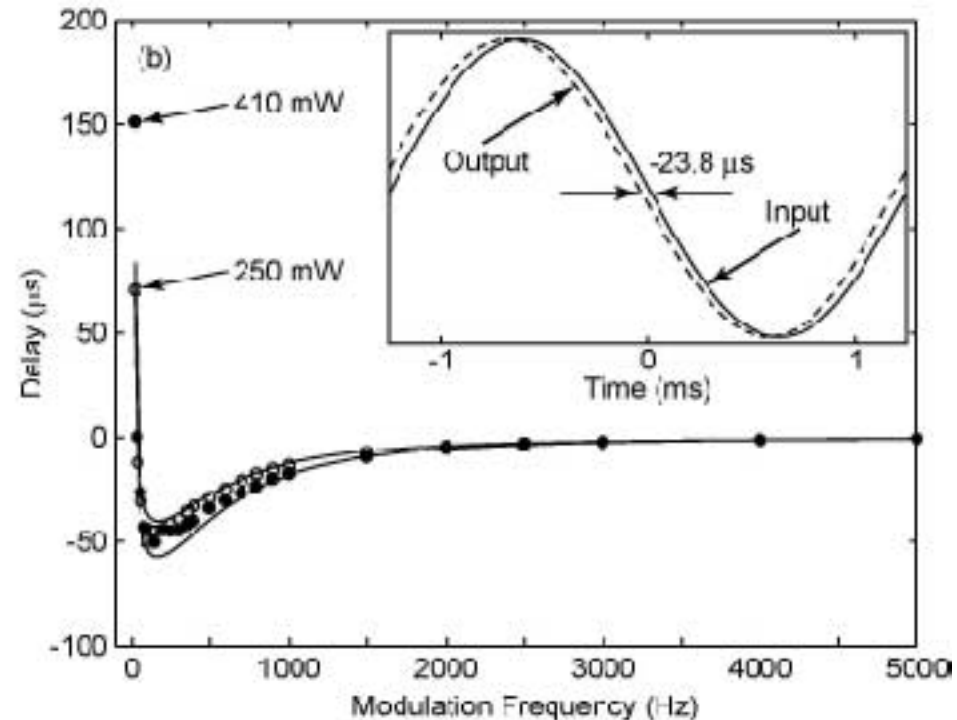
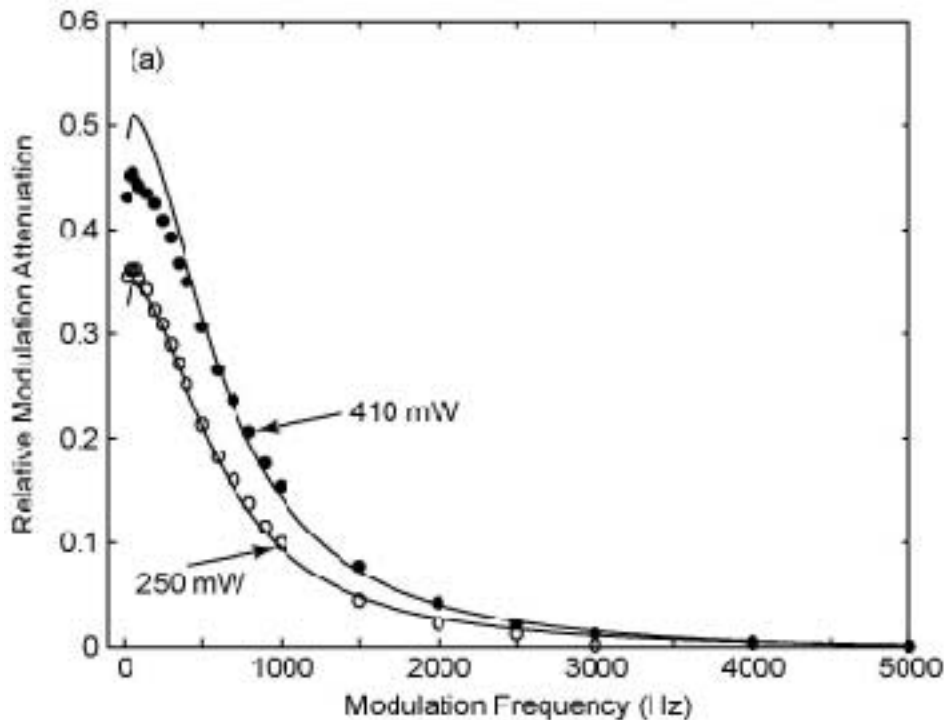
Alexandrite Displays both Saturable and Inverse-Saturable Absorption



Inverse-Saturable Absorption Produces Superluminal Propagation in Alexandrite

At 476 nm, alexandrite is an inverse saturable absorber

Negative time delay of 50 μs corresponds to a velocity of -800 m/s



M. Bigelow, N. Lepeshkin, and RWB, accepted for publication in Science, 2003

Slow and Fast Light --What Next?

Longer fractional delay
(saturate deeper; propagate farther)

Find material with faster response
(technique works with shorter pulses)

Artificial Materials for Nonlinear Optics

Artificial materials can produce
Large nonlinear optical response
Large dispersive effects

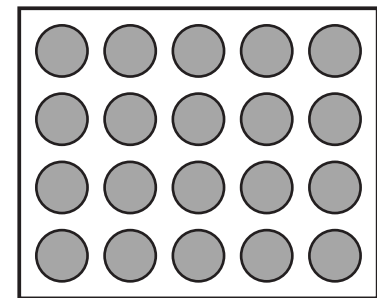
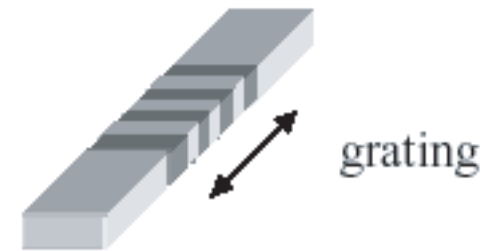
Examples

Fiber/waveguide Bragg gratings

PBG materials

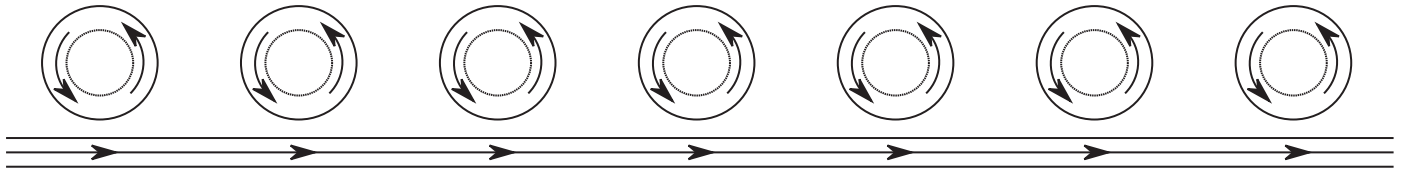
CROW devices (Yariv et al.)

SCISSOR devices



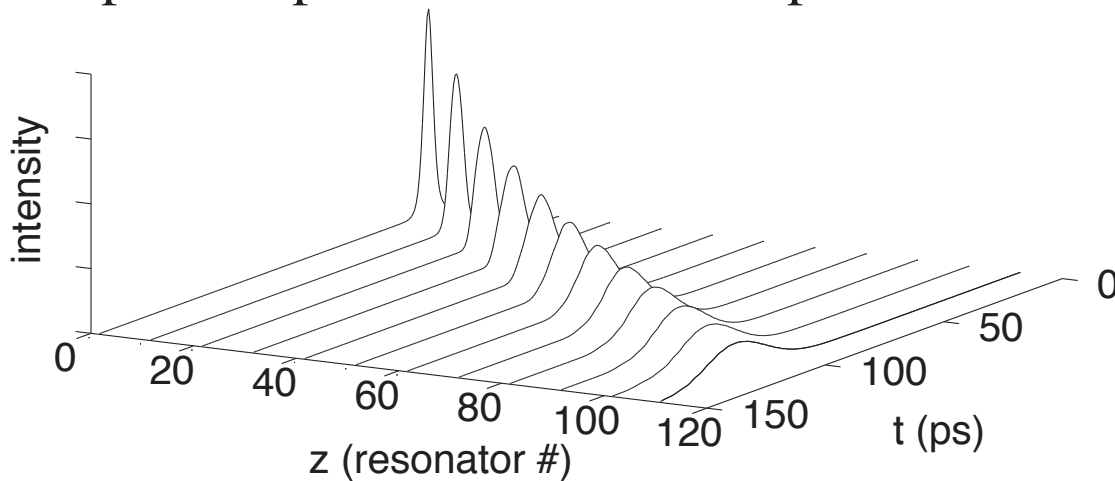
NLO of SCISSOR Devices

(Side-Coupled Integrated Spaced Sequence of Resonators)

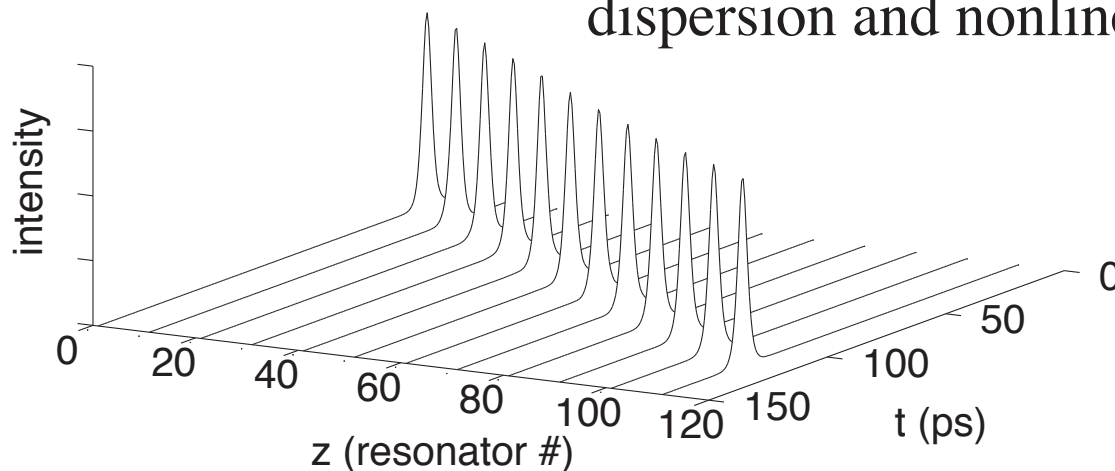


Shows slow-light, tailored dispersion, and enhanced nonlinearity
Optical solitons described by nonlinear Schrodinger equation

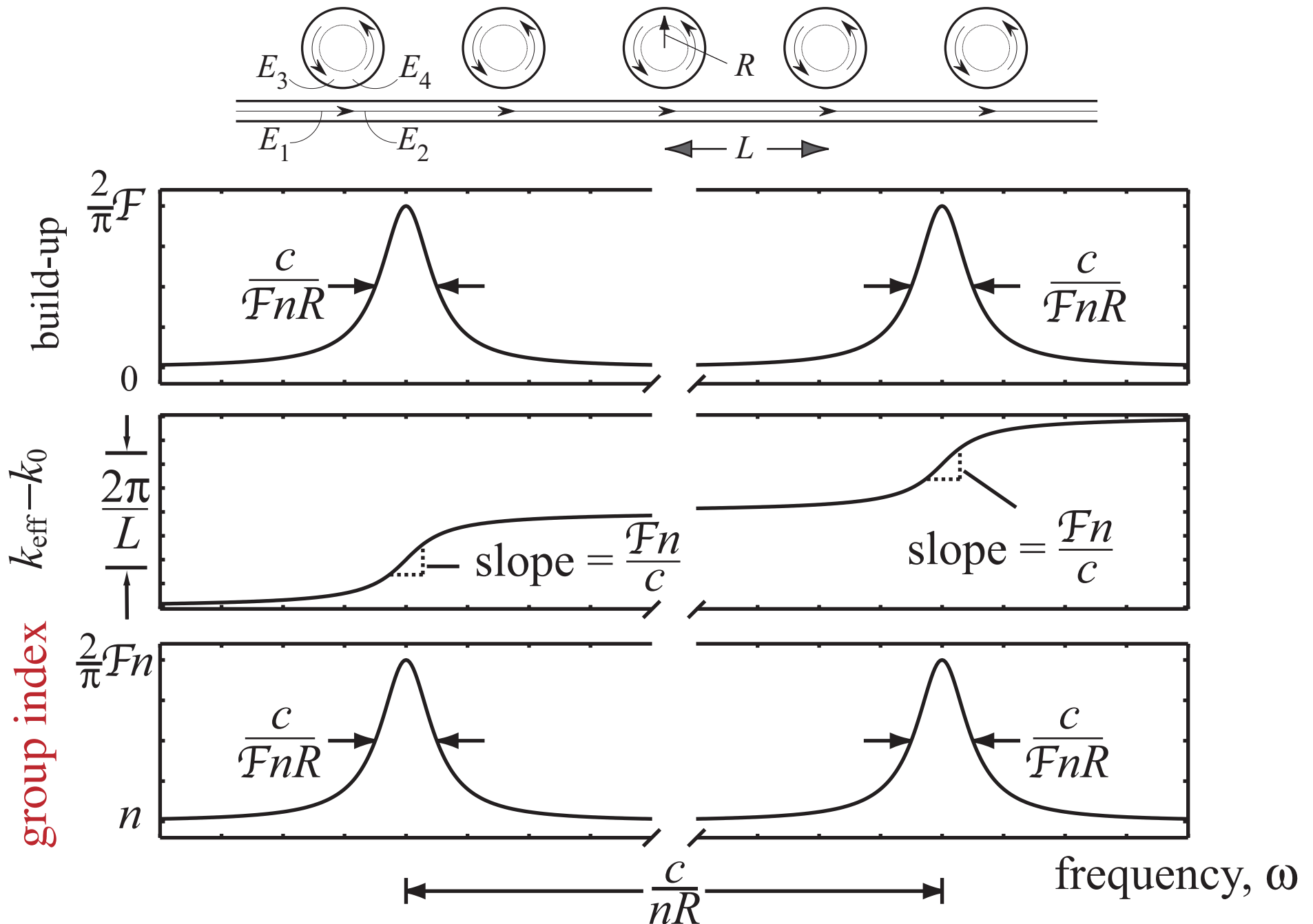
- Weak pulses spread because of dispersion



- But intense pulses form solitons through balance of dispersion and nonlinearity.

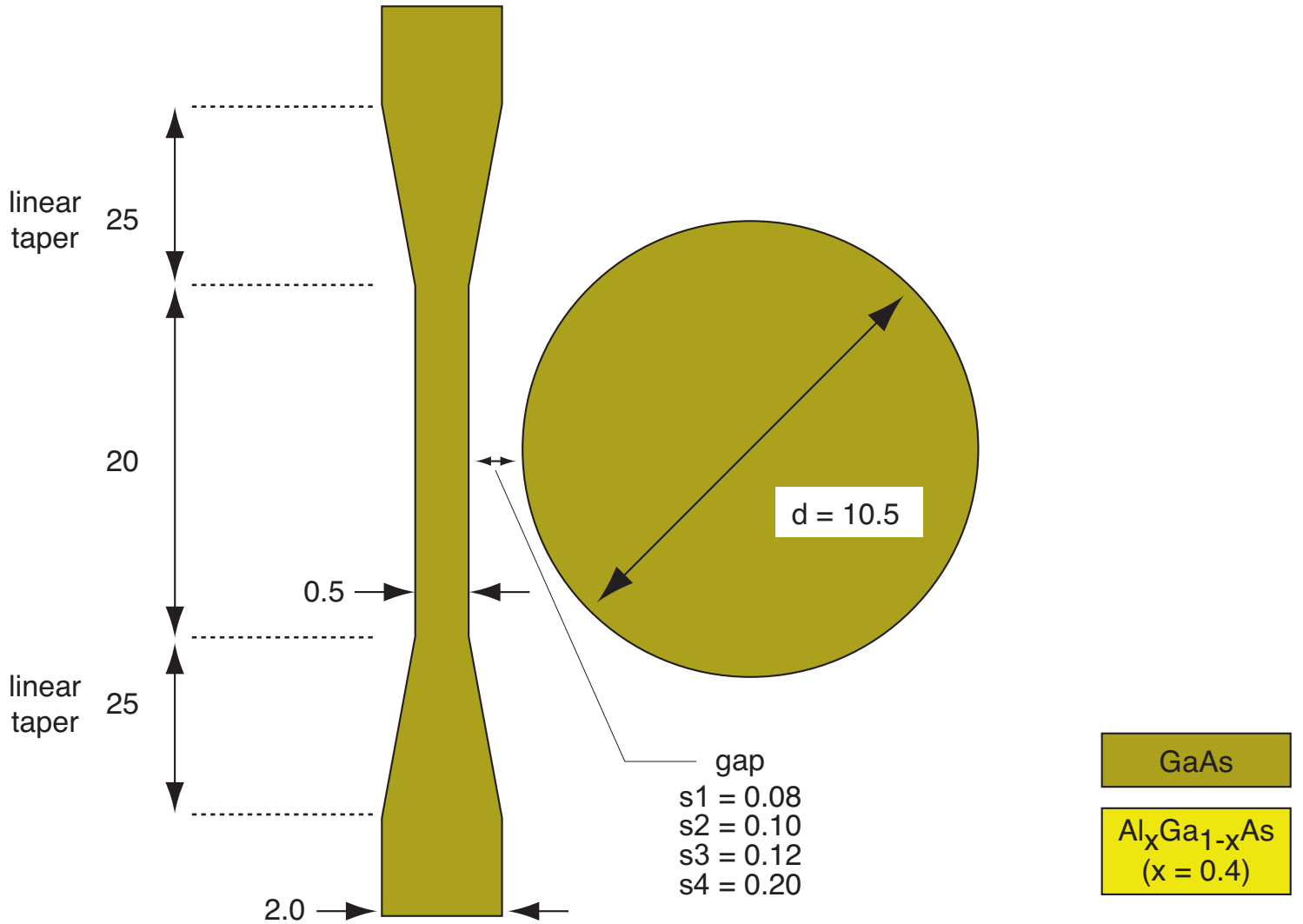
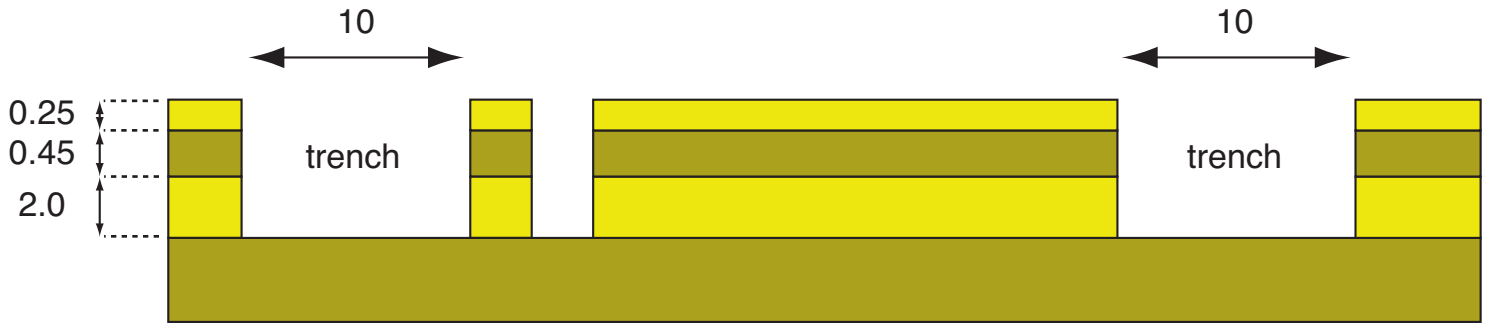


Slow Light and SCISSOR Structures



Microdisk Resonator Design

All dimensions in microns



Photonic Device Fabrication Procedure

(1) MBE growth



(2) Deposit oxide



(3) Spin-coat e-beam resist



(4) Pattern inverse with e-beam & develop



(5) RIE etch oxide



(6) Remove PMMA



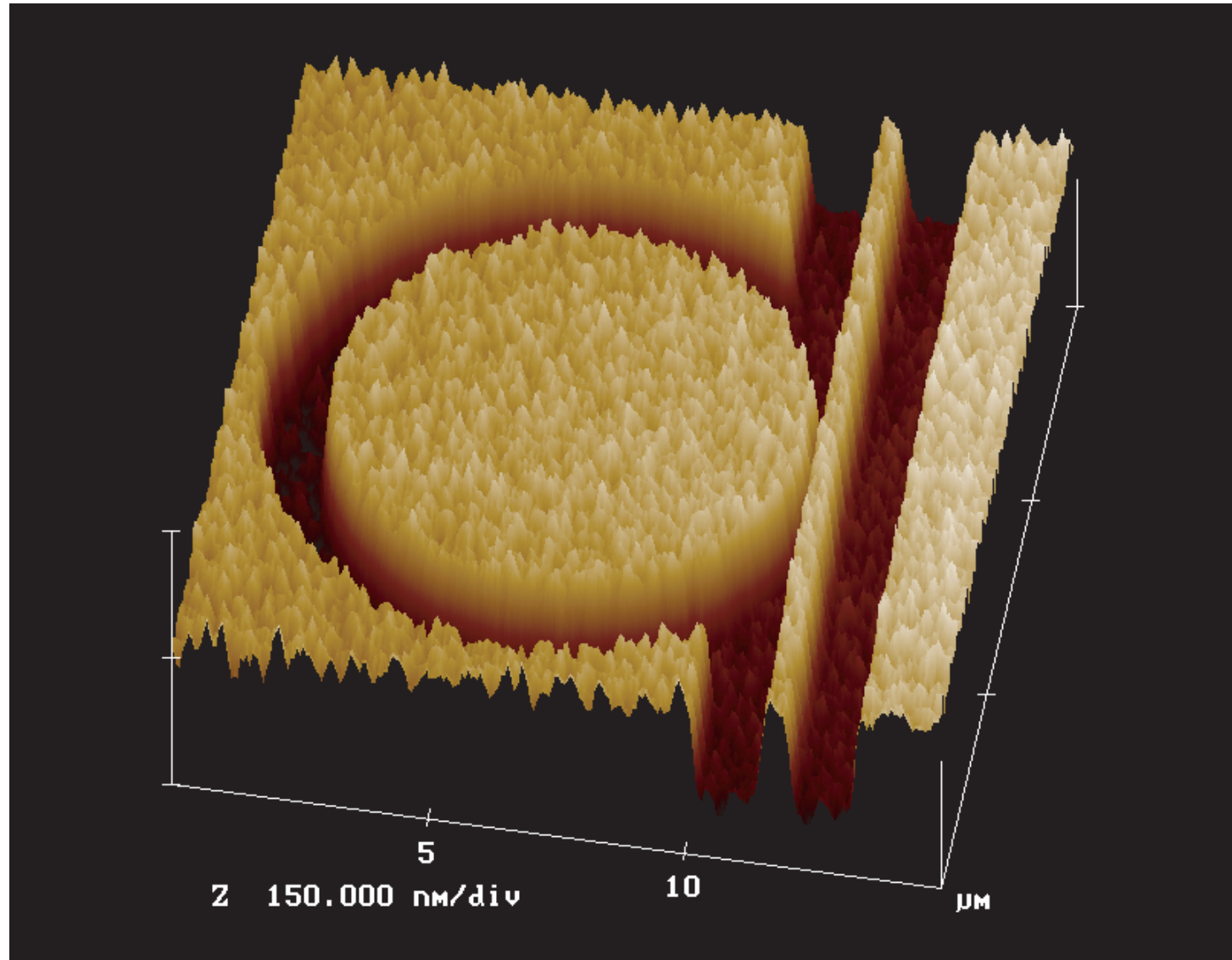
(7) CAIBE etch AlGaAs-GaAs



(8) Strip oxide

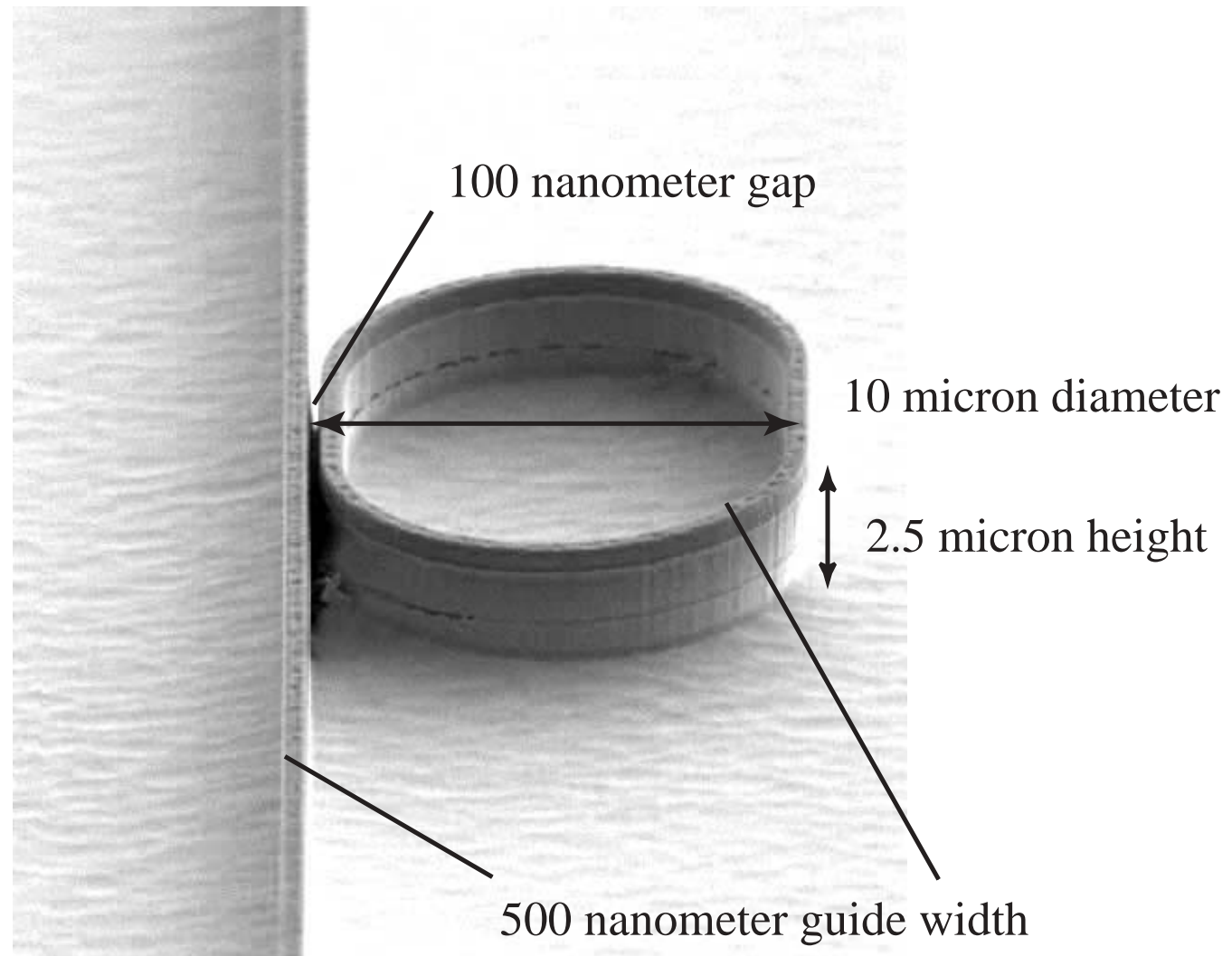


Disk Resonator and Optical Waveguide in PMMA Resist



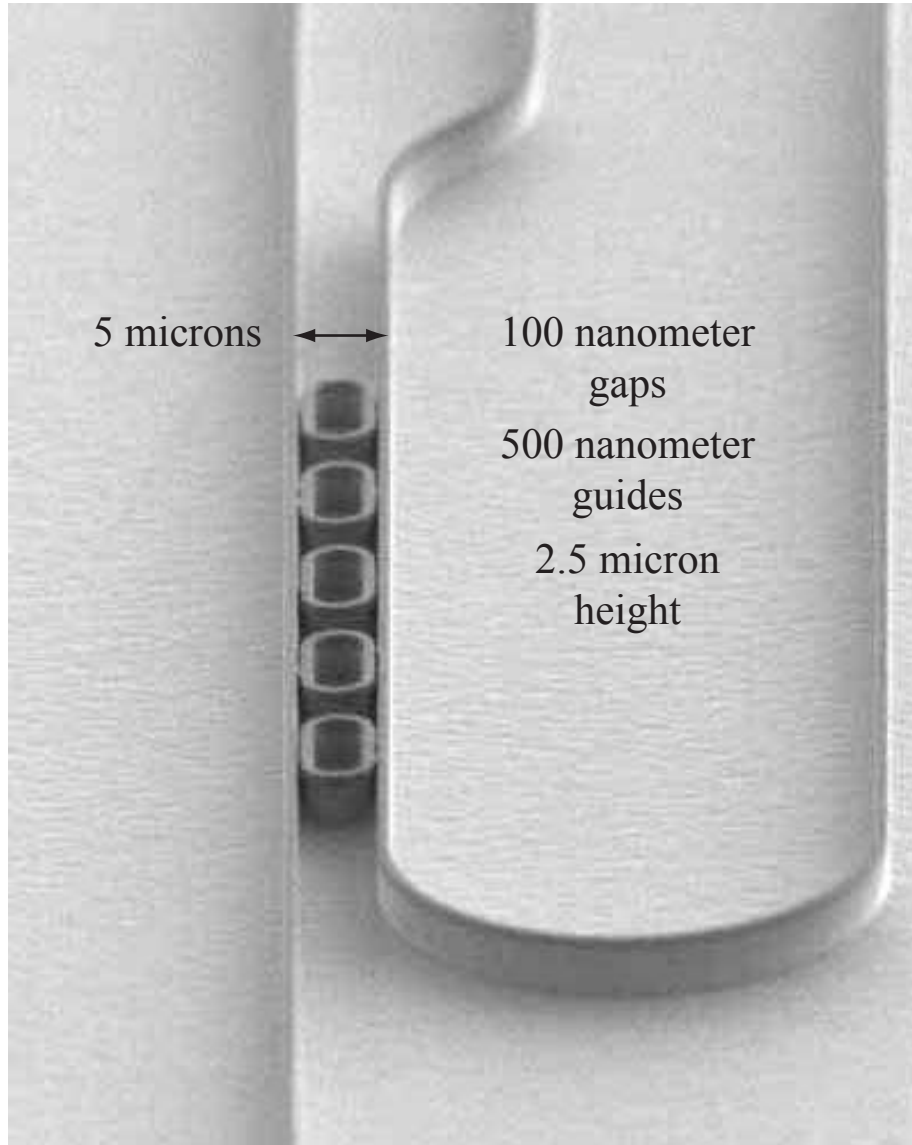
AFM

All-Pass Racetrack Microresonator

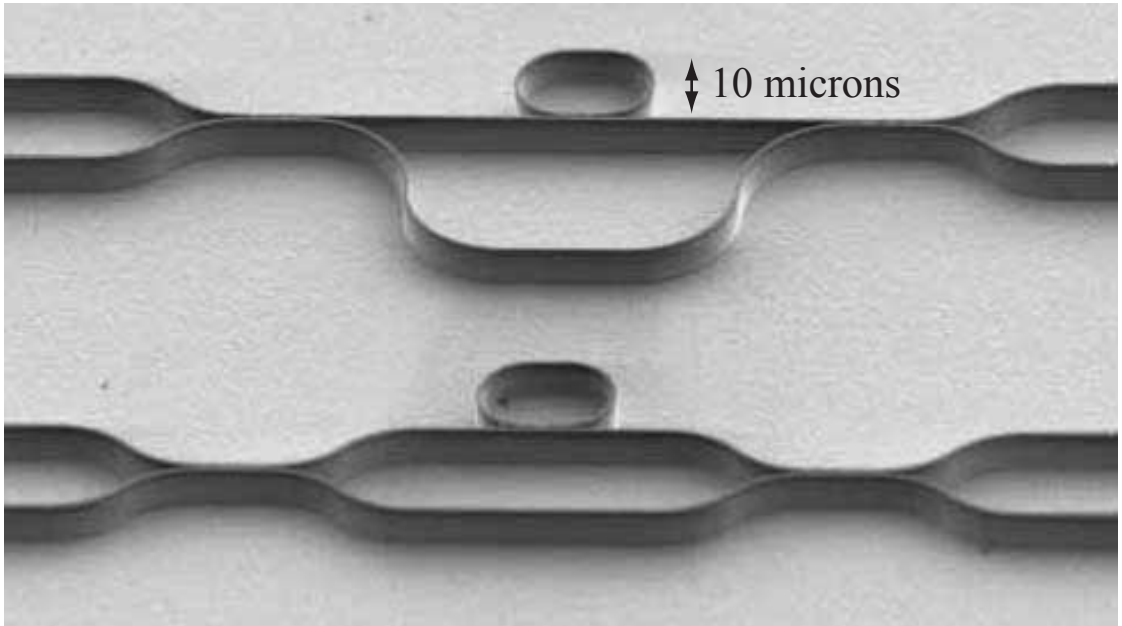


Thanks to P.T. Ho and R. Grover, U. Maryland, for help with final etch.

Five-Cell SCISSOR with Tap Channel



Resonator-Enhanced Mach-Zehnder Interferometers



~100 nanometer
gaps

500 nanometer
guides

2.5 micron
height

Laboratory Characterization of Photonic Structures

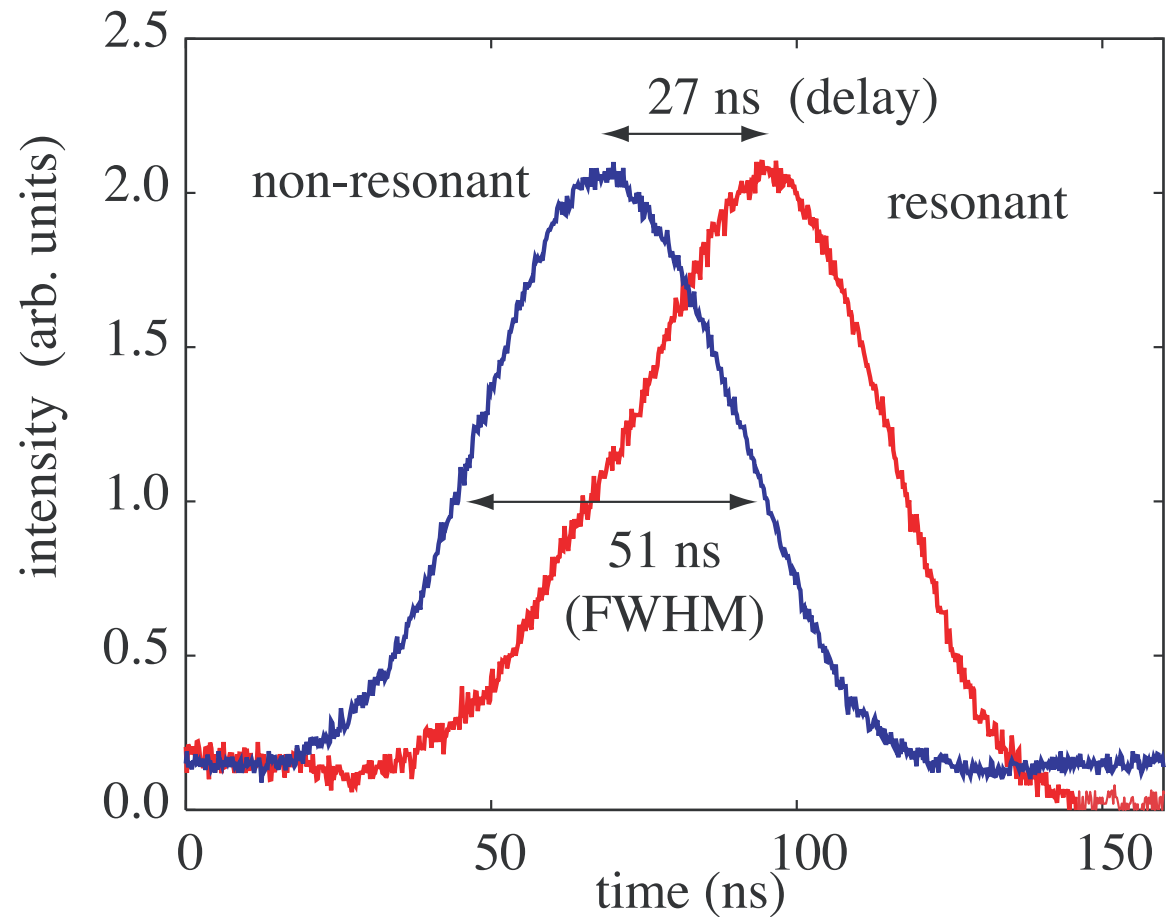
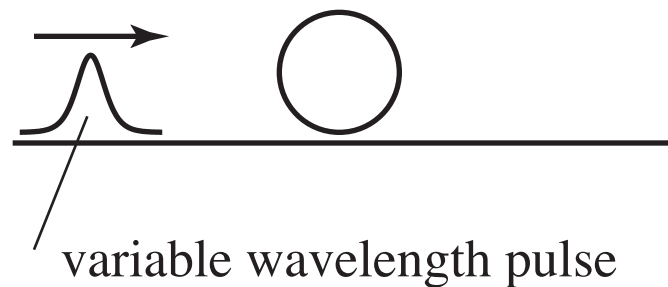
- Characterization of fiber ring-resonator devices
(Proof of principle studies)
- Characterization of nanofabricated devices

Fiber-Resonator Optical Delay Line

Fiber optical delay line:

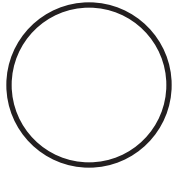


First study one element of optical delay line:



Transmission Characteristics of Fiber Ring Resonator

circumference = 31 cm



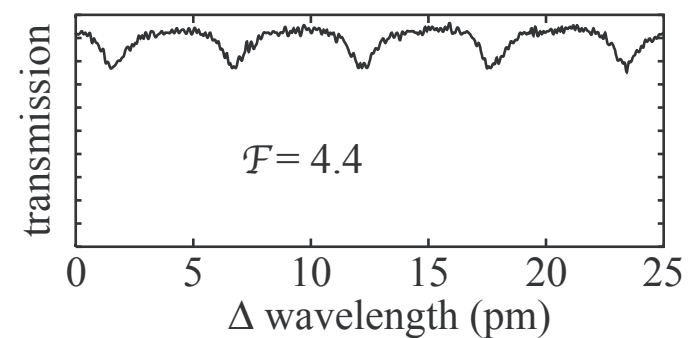
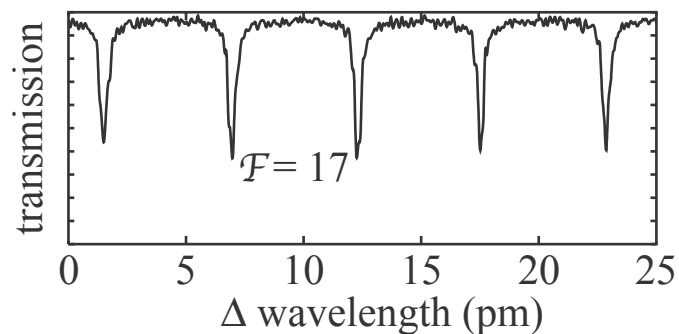
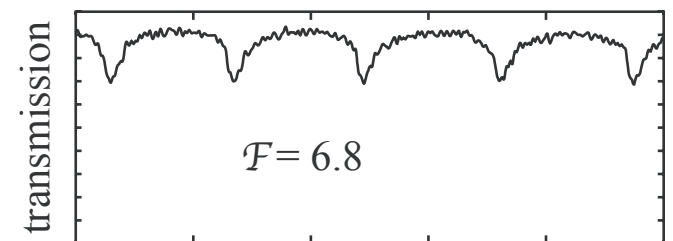
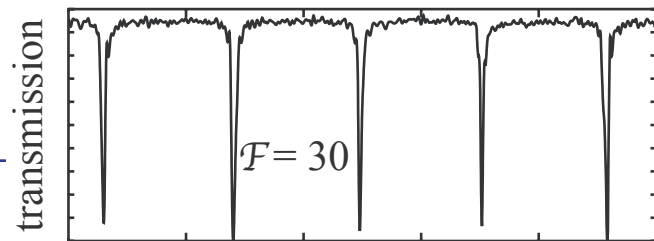
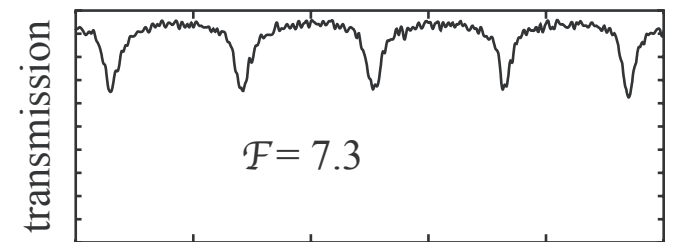
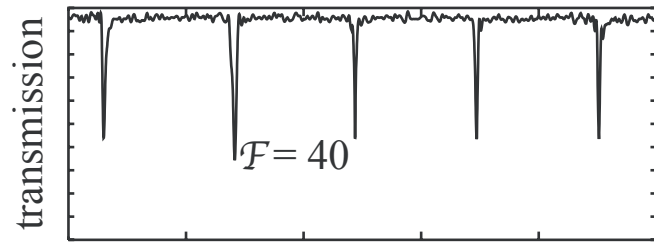
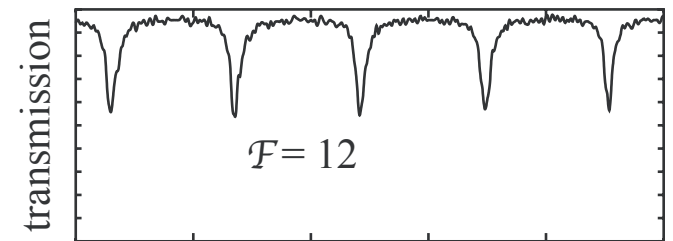
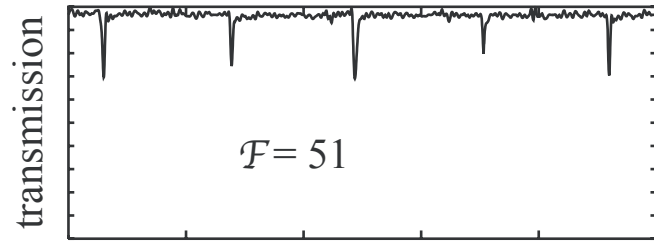
variable coupling

Measure transmission vs. λ for various values of the finesse

undercoupled

critically coupled

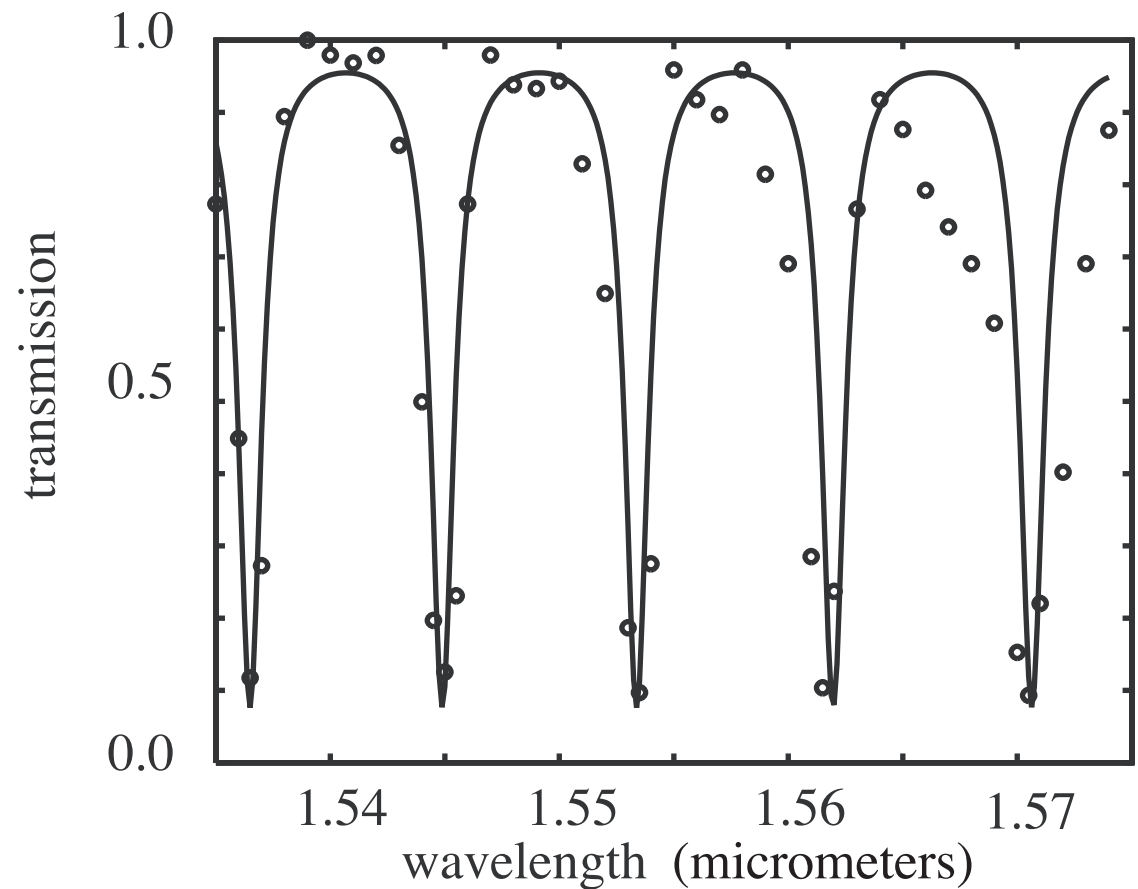
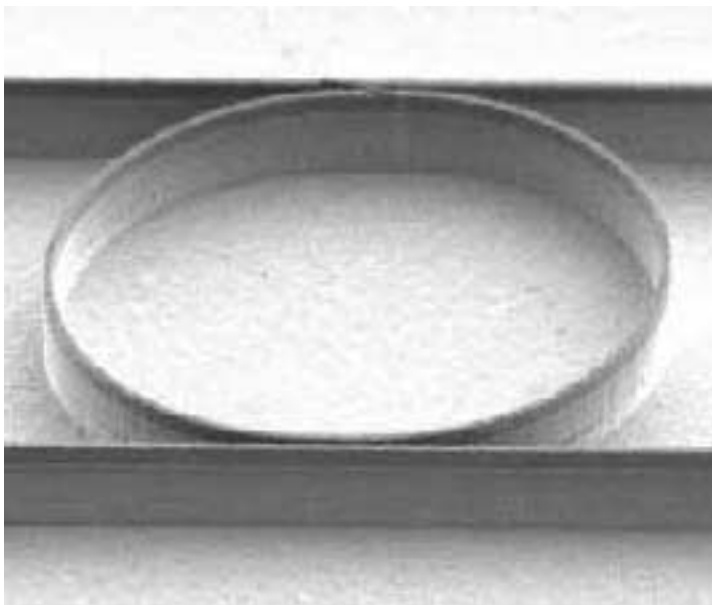
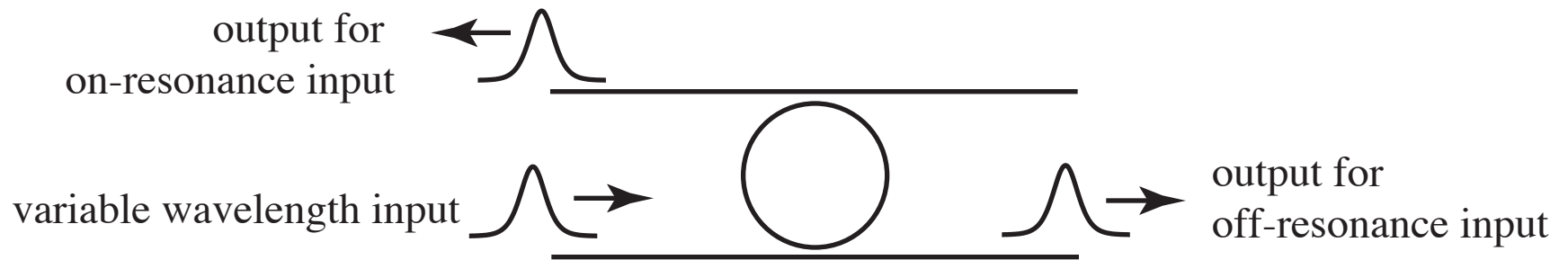
overcoupled



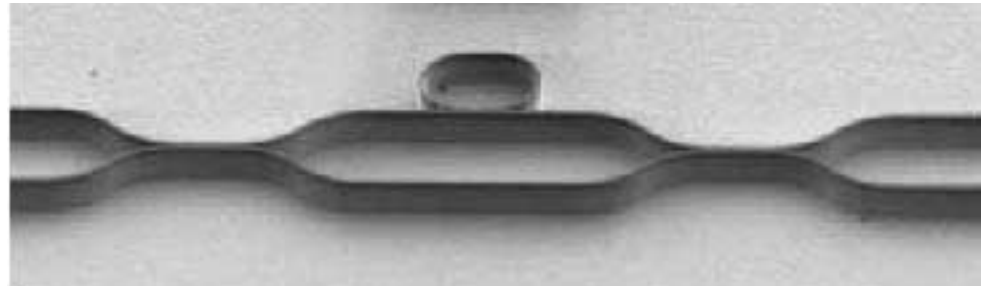
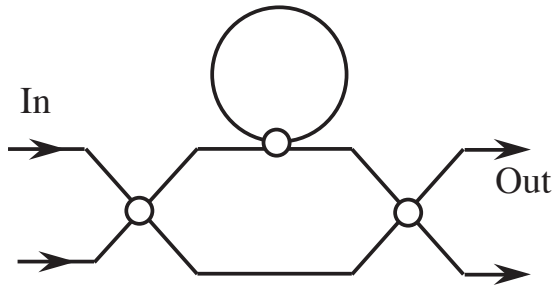
Laboratory Characterization of Photonic Structures

- Characterization of fiber ring-resonator devices
(Proof of principle studies)
- Characterization of nanofabricated devices

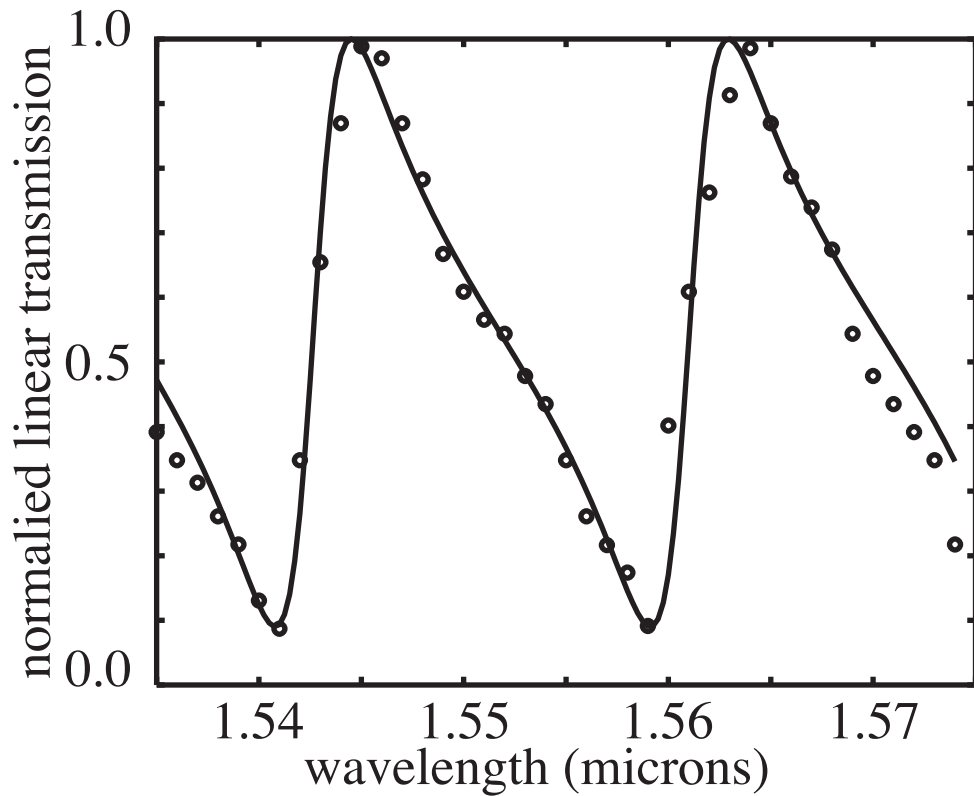
Microresonator-Based Add-Drop Filter



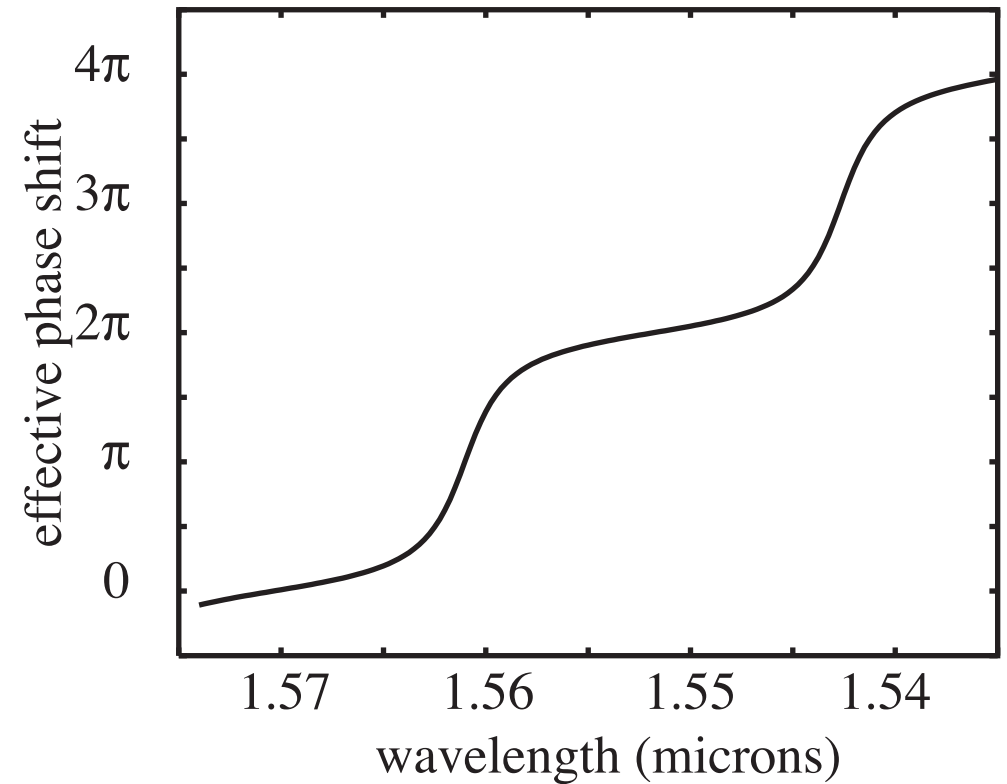
Phase Characteristics of Micro-Ring Resonator



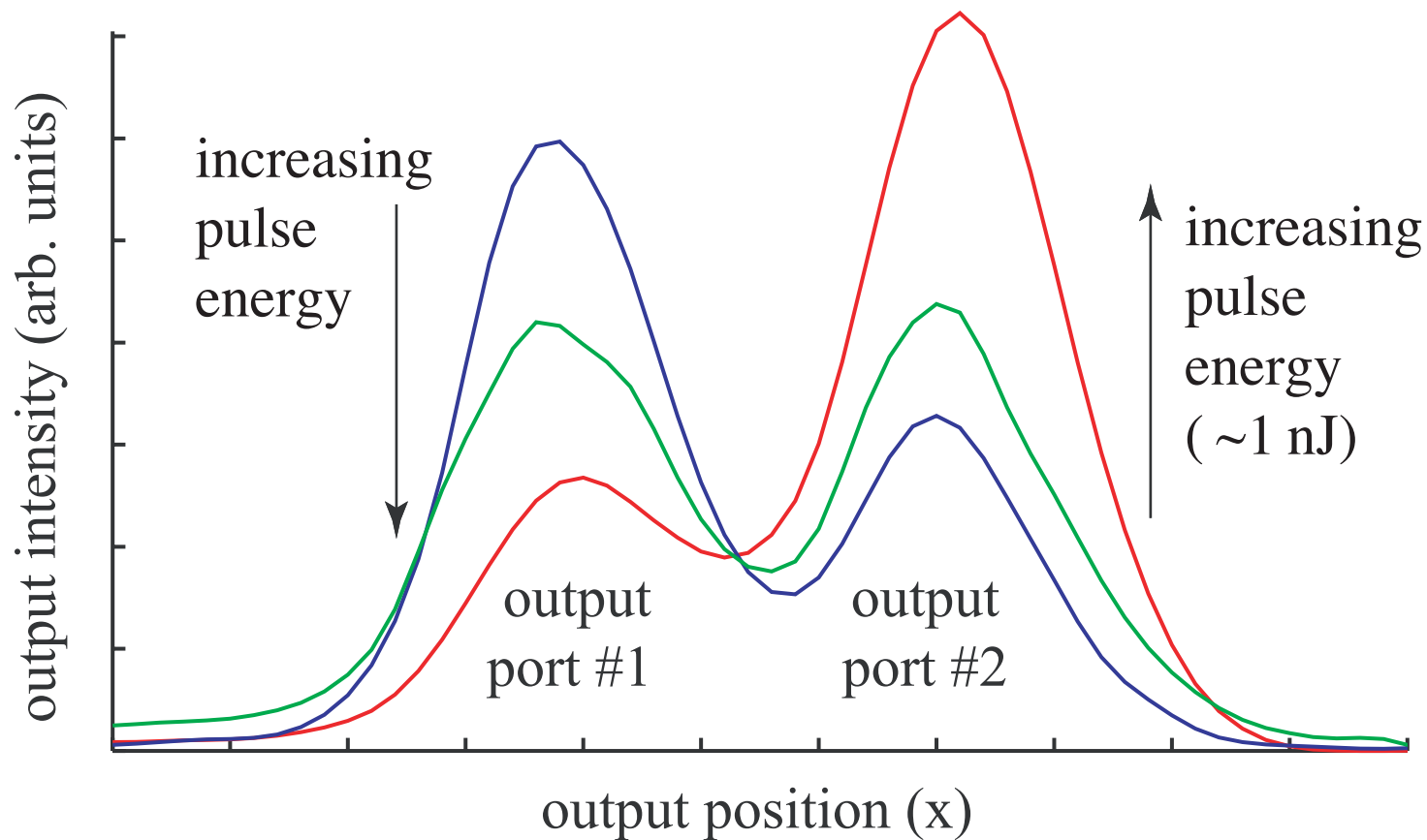
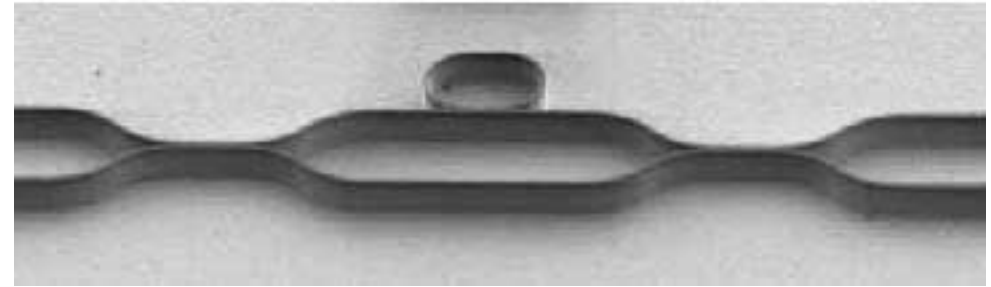
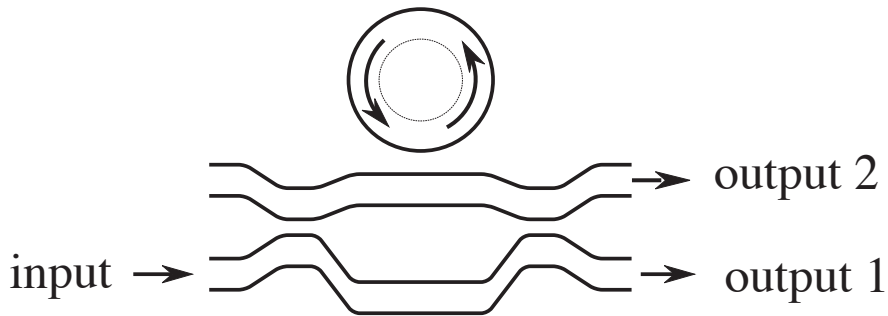
transmission



induced phase shift



All-Optical Switching in a Microresonator-Enhanced Mach-Zehnder Interferometer



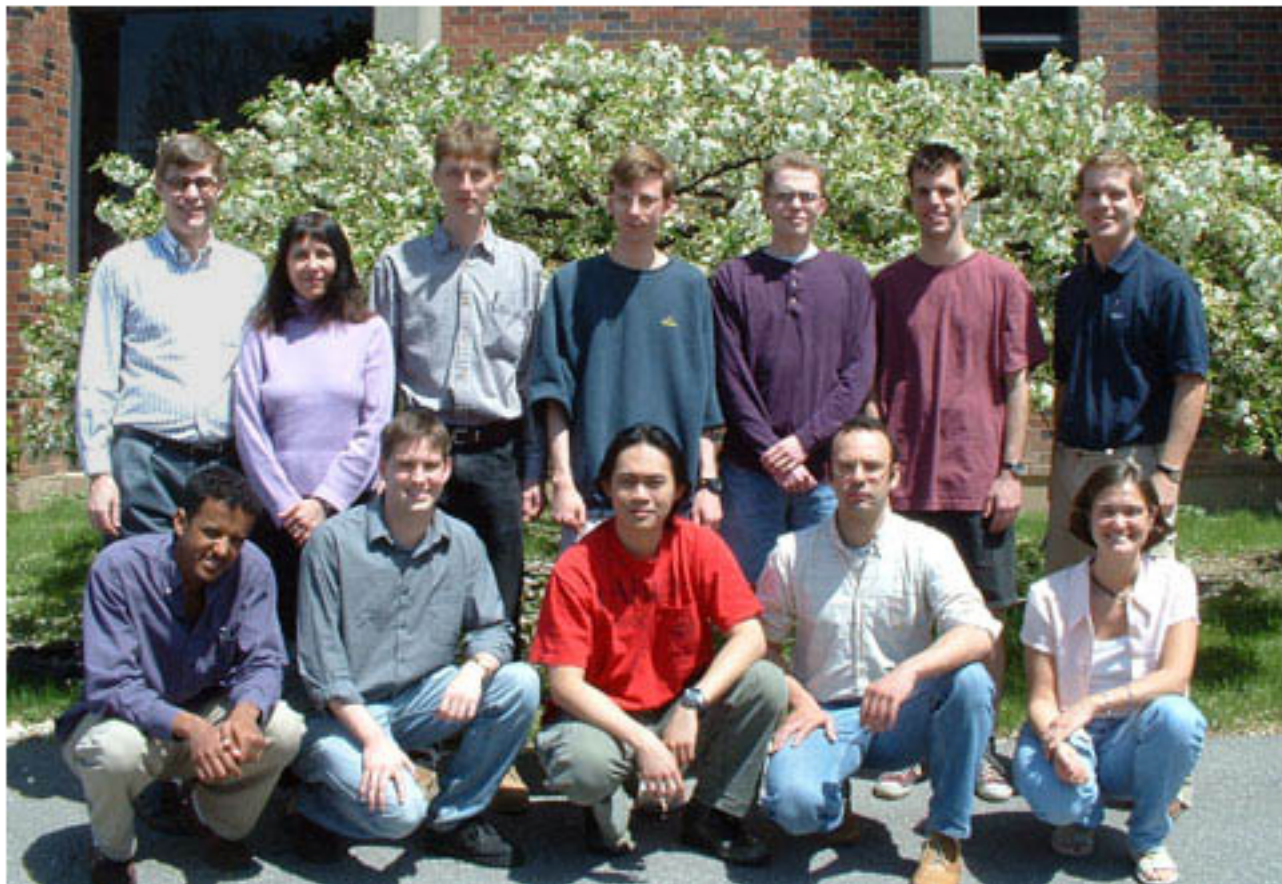
Summary

Demonstration of slow light propagation in ruby and superluminal light propagation in alexandrite

Argue that artificial materials hold great promise for applications in photonics because of

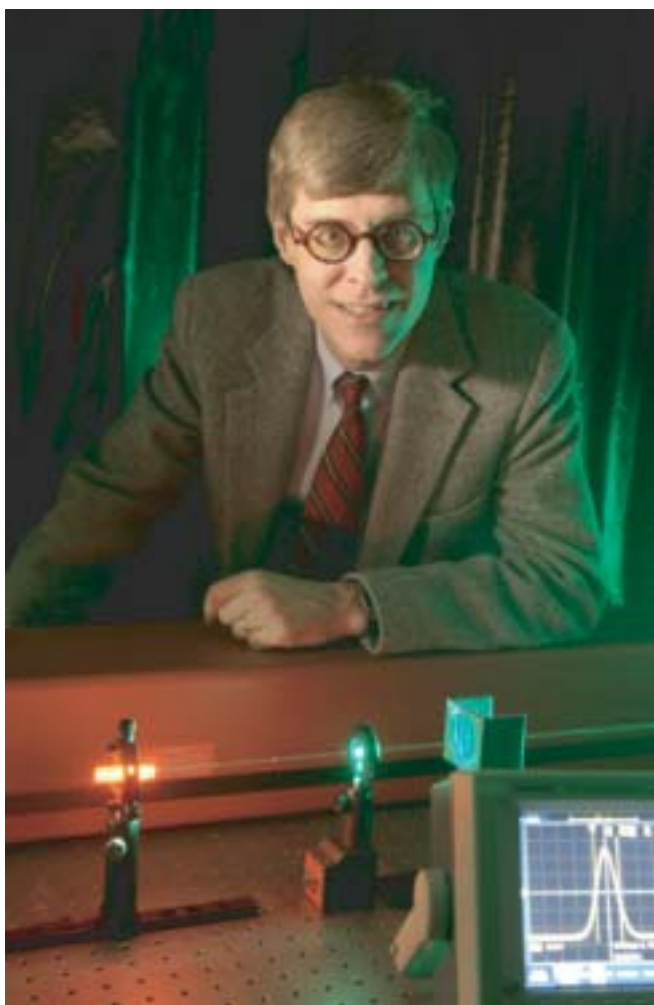
- large controllable nonlinear response
- large dispersion controllable in magnitude and sign

Special Thanks to my Students and Research Associates



Thank you for your attention.

Comparison of University of Rochester and University of Arizona



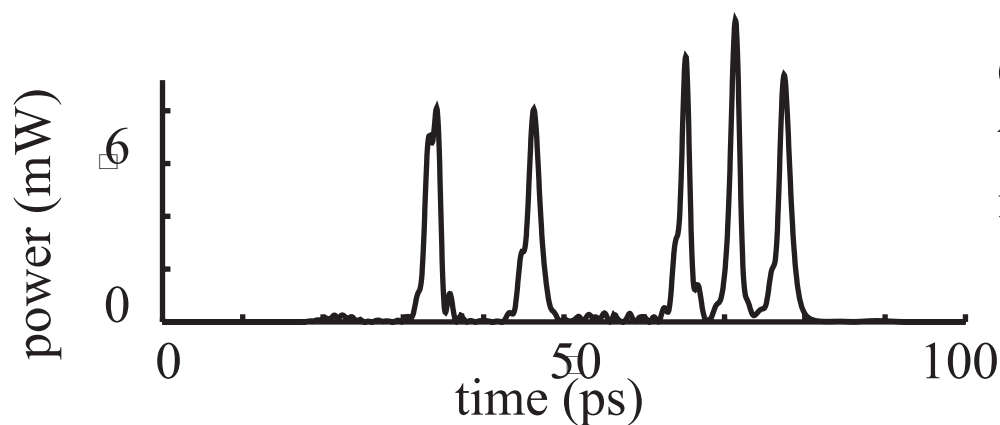
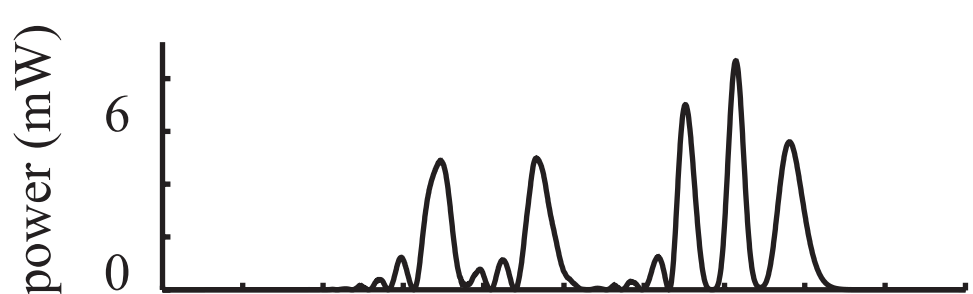
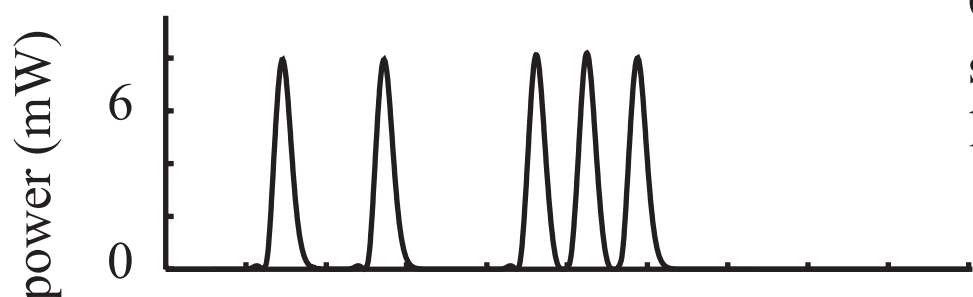
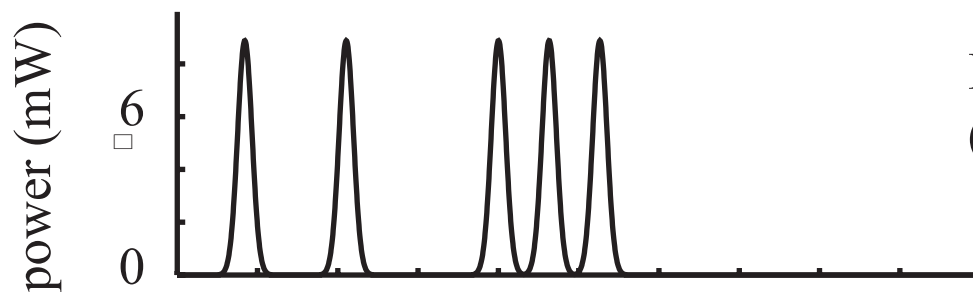
Bob and Ruby



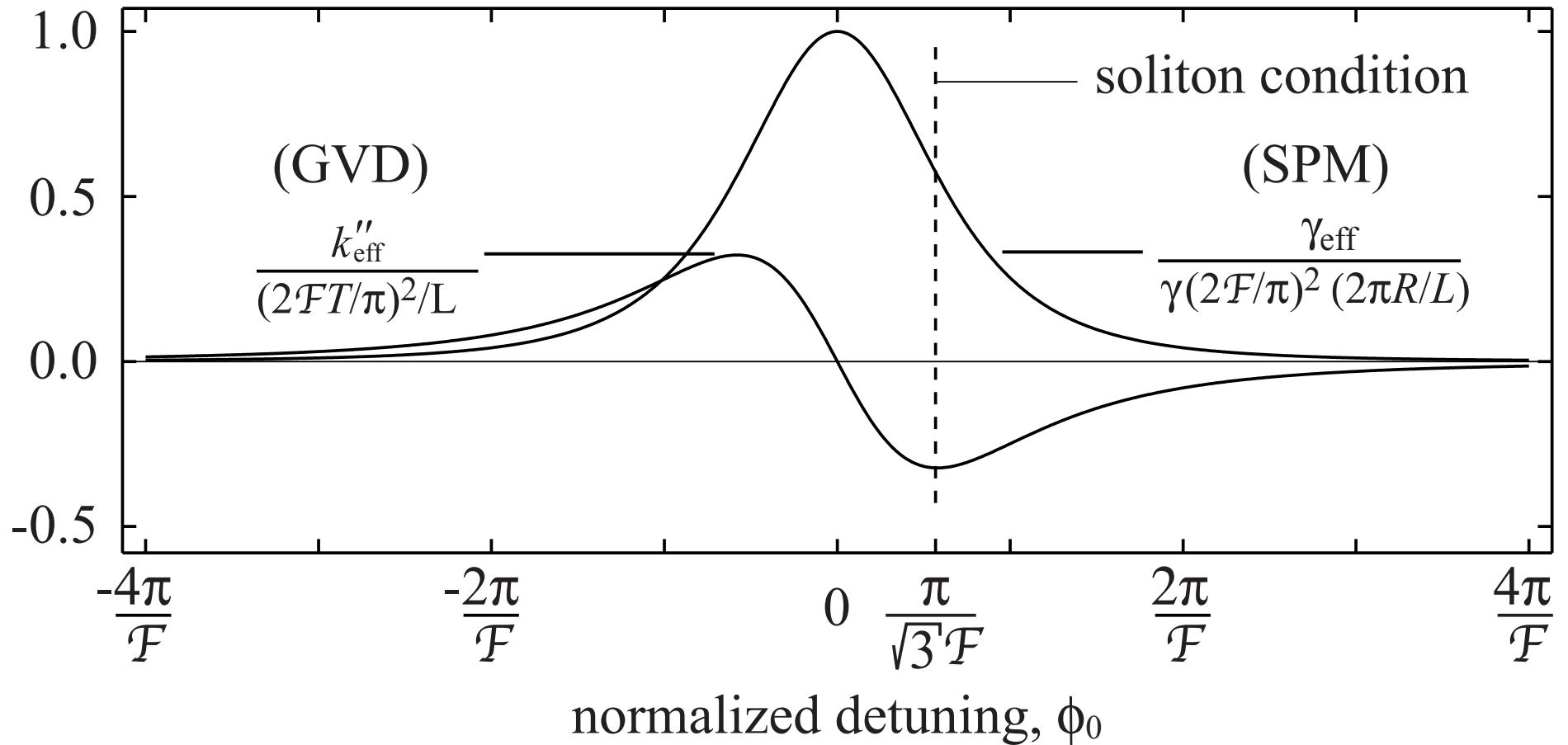
Hyatt and Galina

Photonic Structures -- What Next?

Performance of SCISSOR as Optical Delay Line



Frequency Dependence of GVD and SPM Coefficients



Soliton Propagation

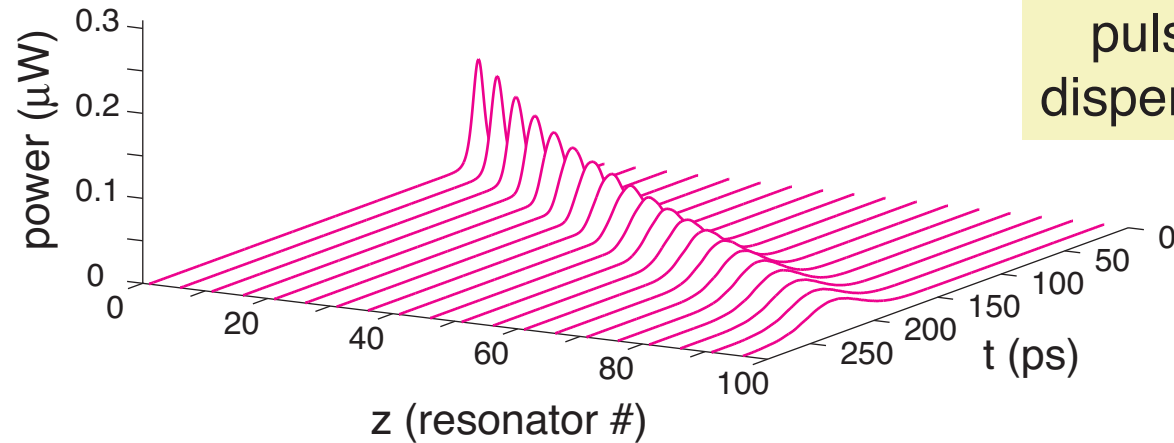
5 μm diameter resonators with a finesse of 30

SCISSOR may be constructed from 100 resonators spaced by 10 μm for a total length of 1 mm

soliton may be excited via a 10 ps, 125mW pulse

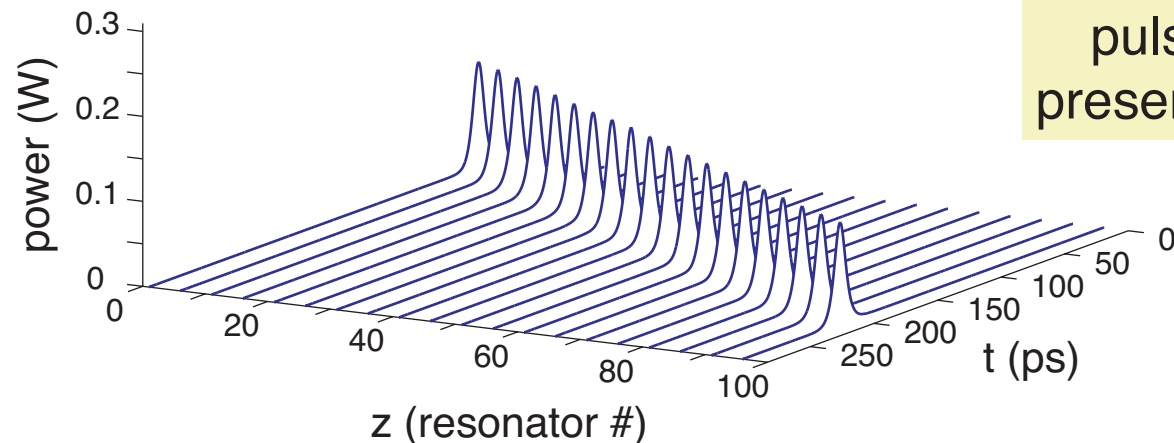
simulation assumes a chalcogenide/GaAs-like nonlinearity

Weak Pulse



pulse disperses

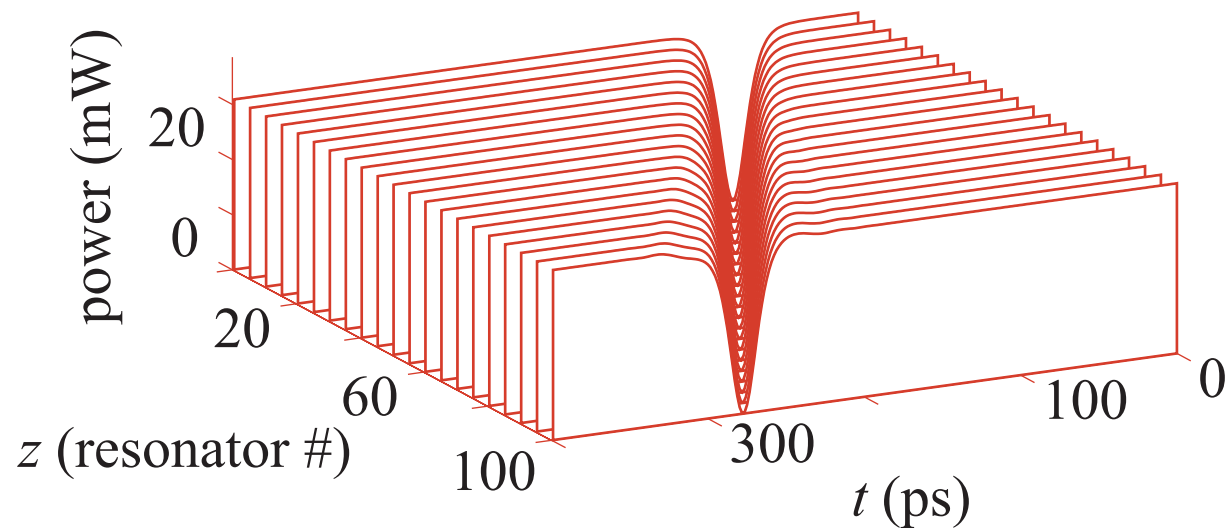
Fundamental Soliton



pulse preserved

Dark Solitons

SCISSOR system also supports the propagation of dark solitons.

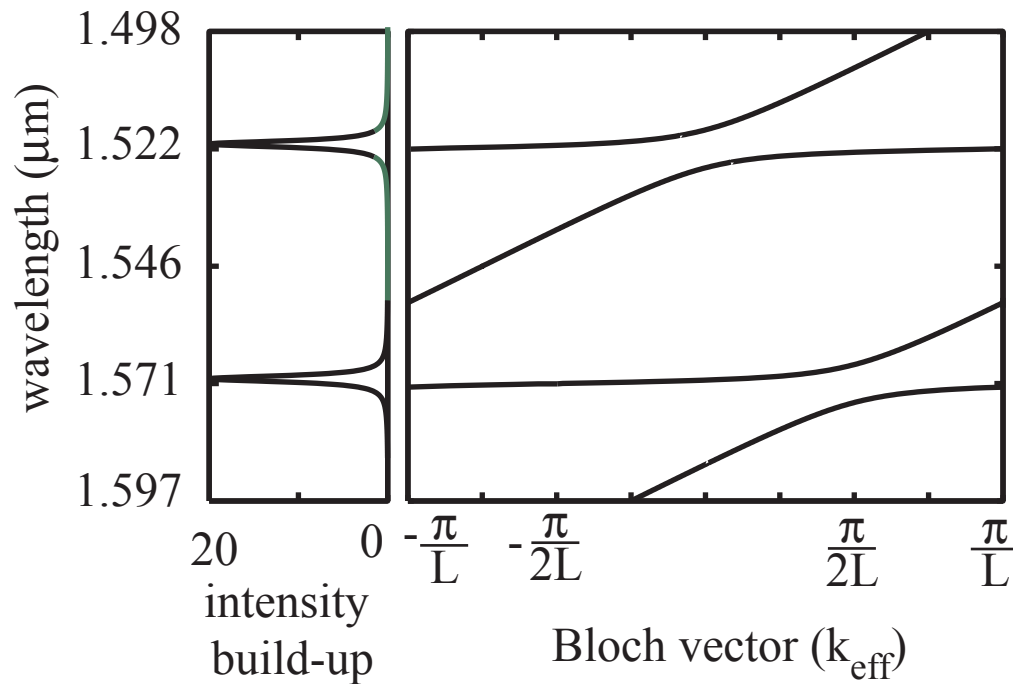


SCISSOR Dispersion Relations

Single-Guide SCISSOR

No bandgap

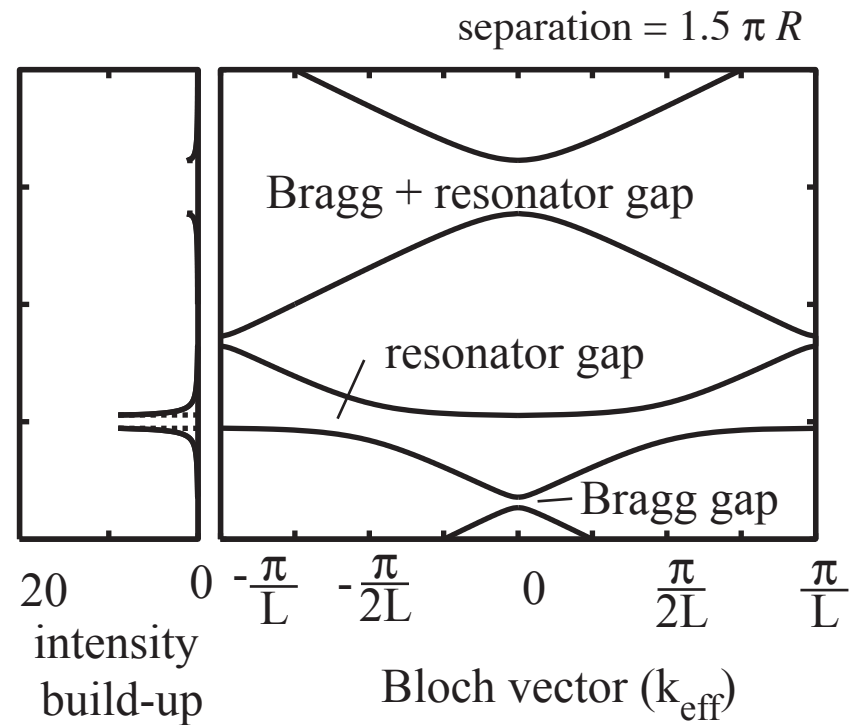
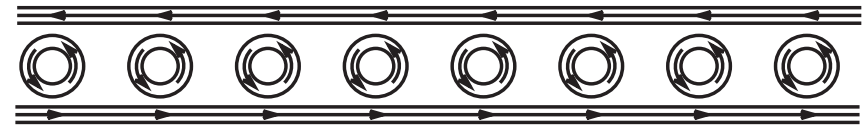
Large intensity buildup



Double-Guide SCISSOR

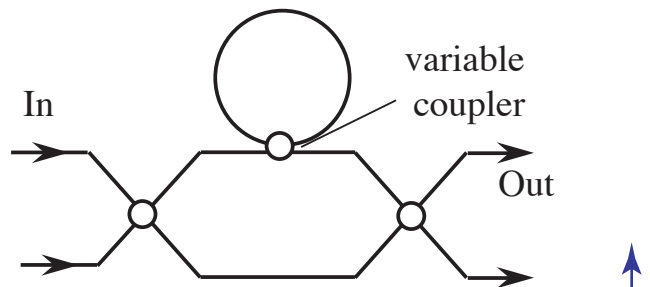
Bandgaps occur

Reduced intensity buildup



Phase Characteristics of Fiber Ring Resonator

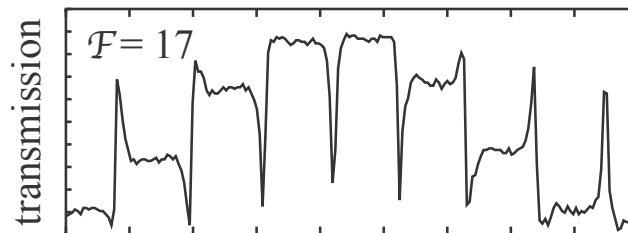
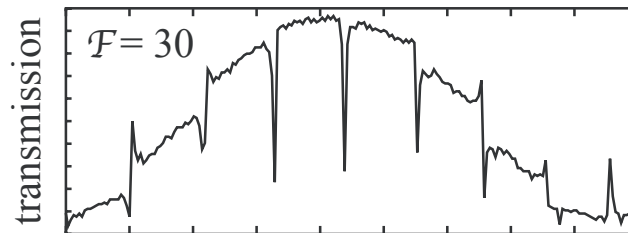
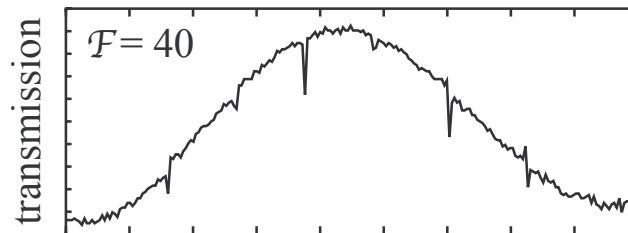
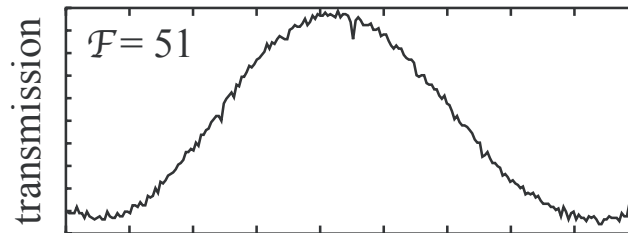
Place ring resonator inside Mach-Zehnder interferometer and measure transmission versus wavelength.



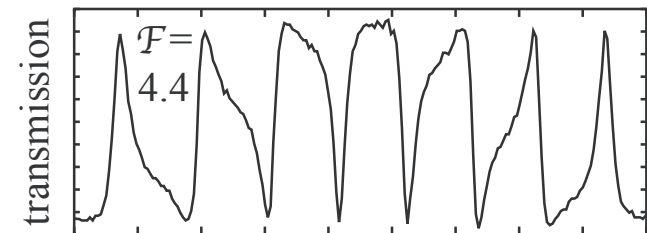
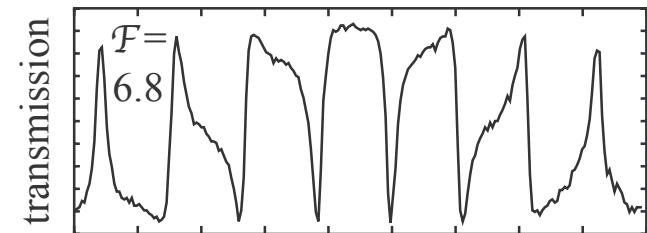
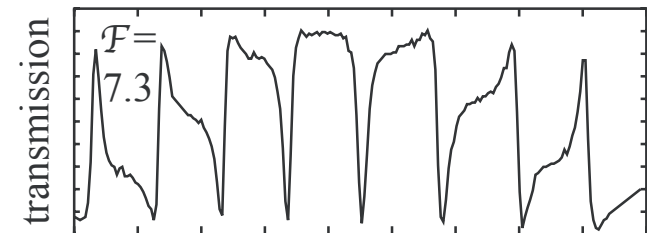
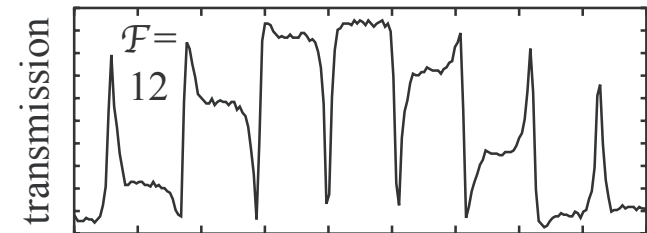
undercoupled

critically coupled

overcoupled



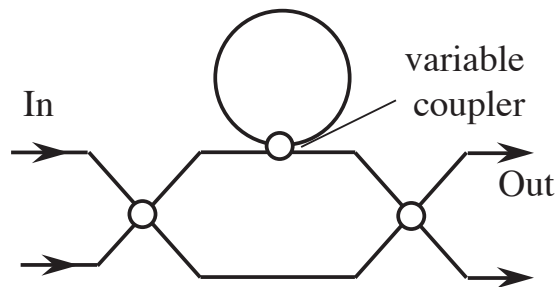
0 10 20 30 40
 Δ wavelength (pm)



0 10 20 30 40
 Δ wavelength (pm)

Phase Characteristics of Fiber Ring Resonator

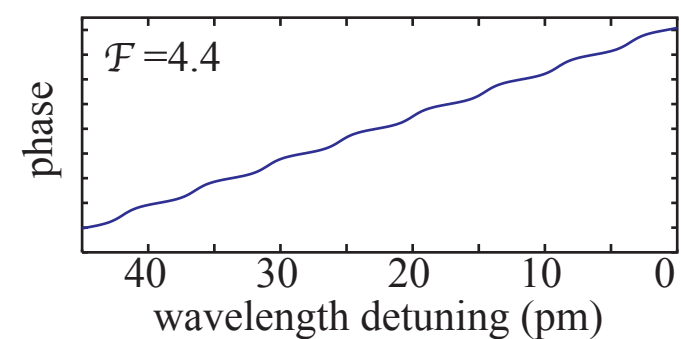
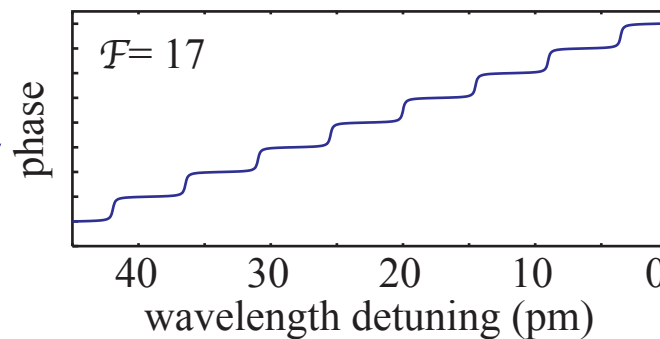
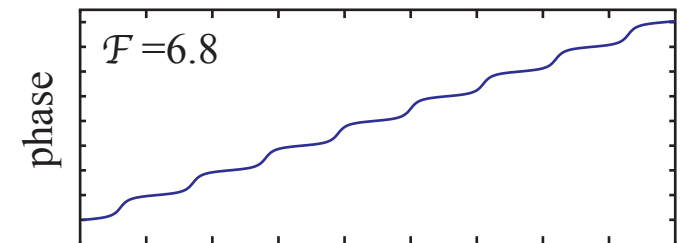
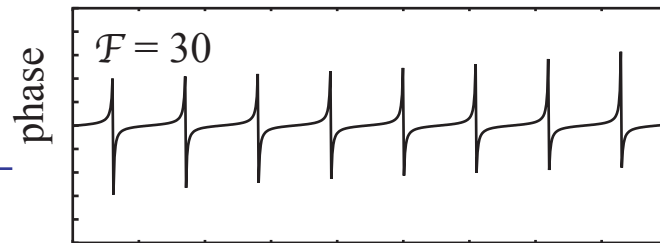
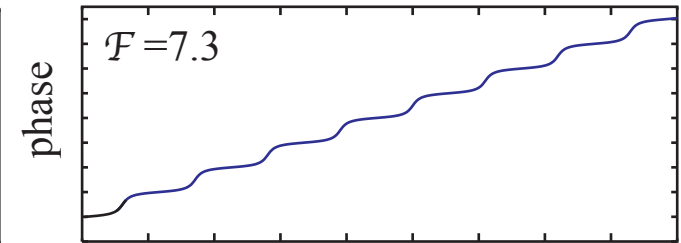
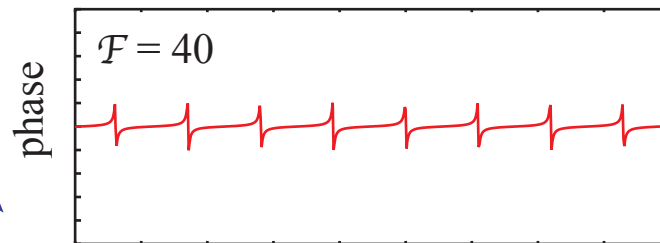
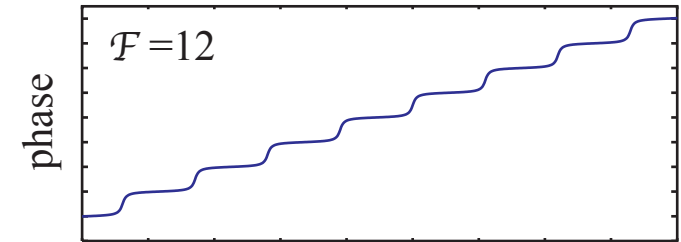
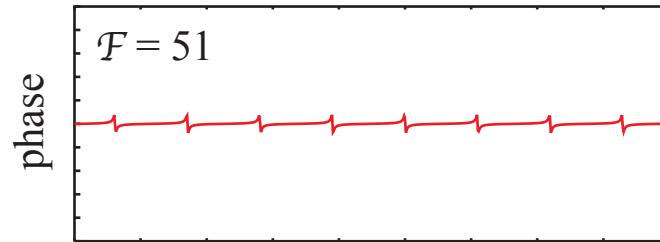
Extracted phase structure



undercoupled

critically coupled

overcoupled



"Fast" (Superluminal) Light in SCISSOR Structures

Requires **loss** in resonator structure

